

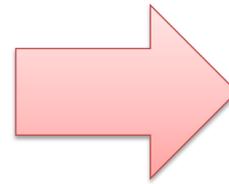
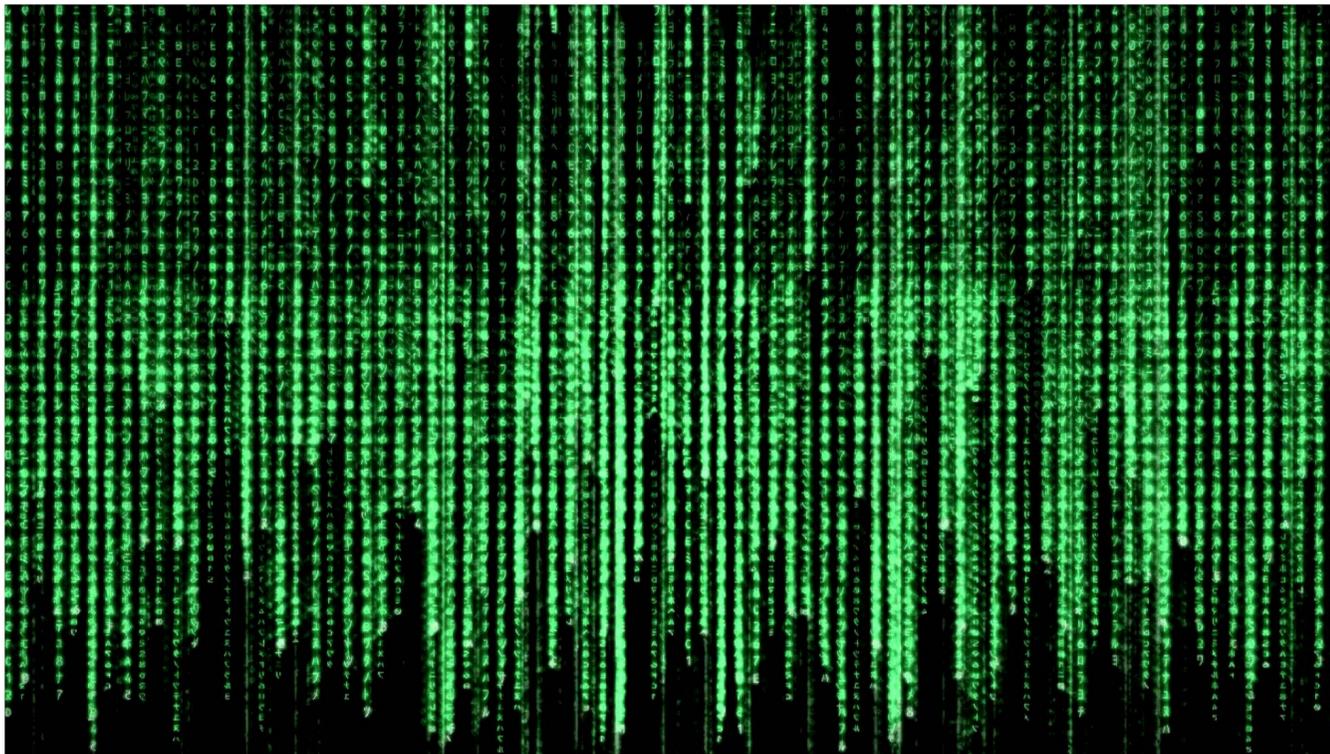
Introduction of Machine Learning

Concept of ML

Artificial Intelligence

- **지능이란?**

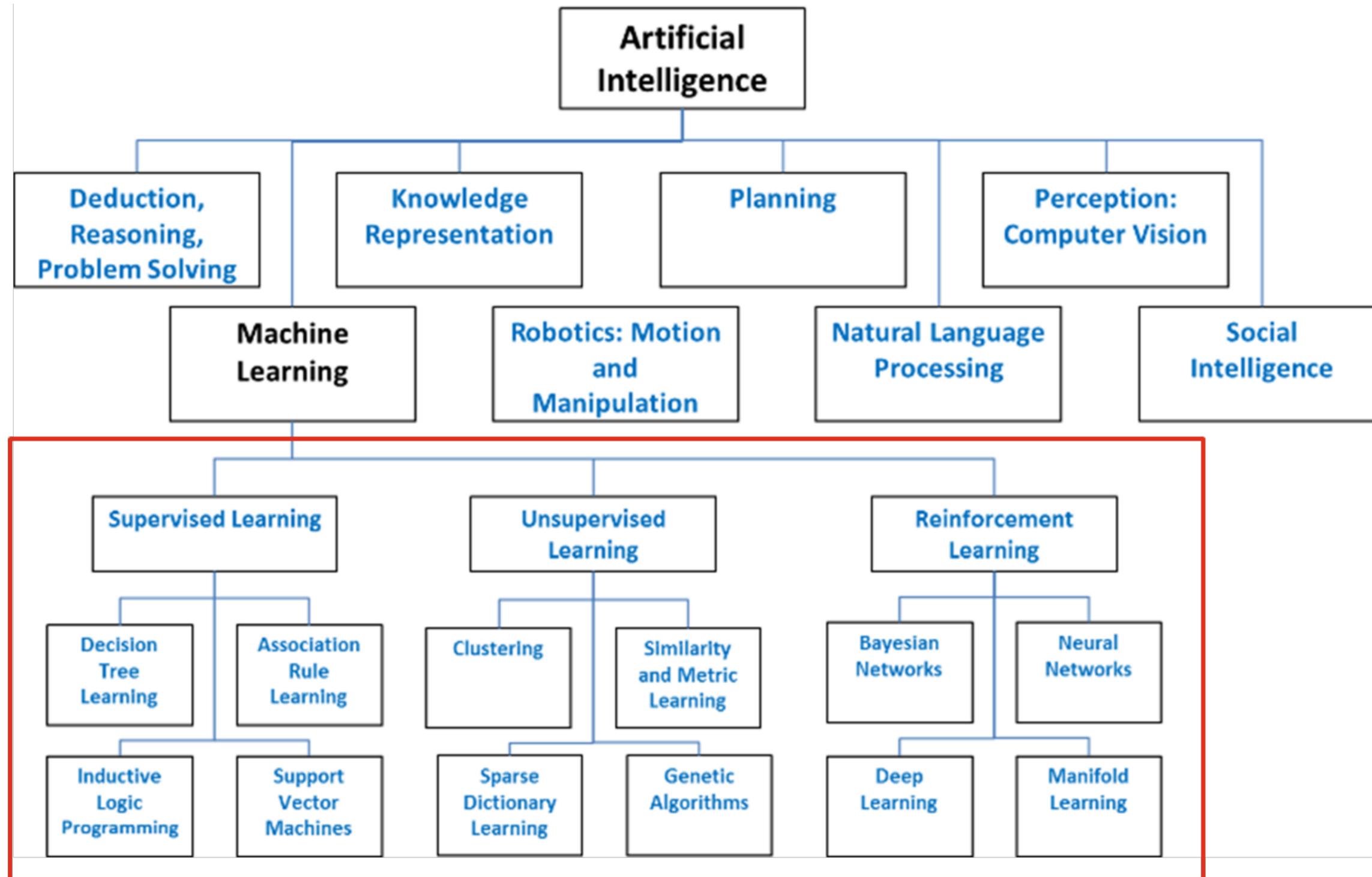
→ 보다 추상적인 정보를 이해하는 능력



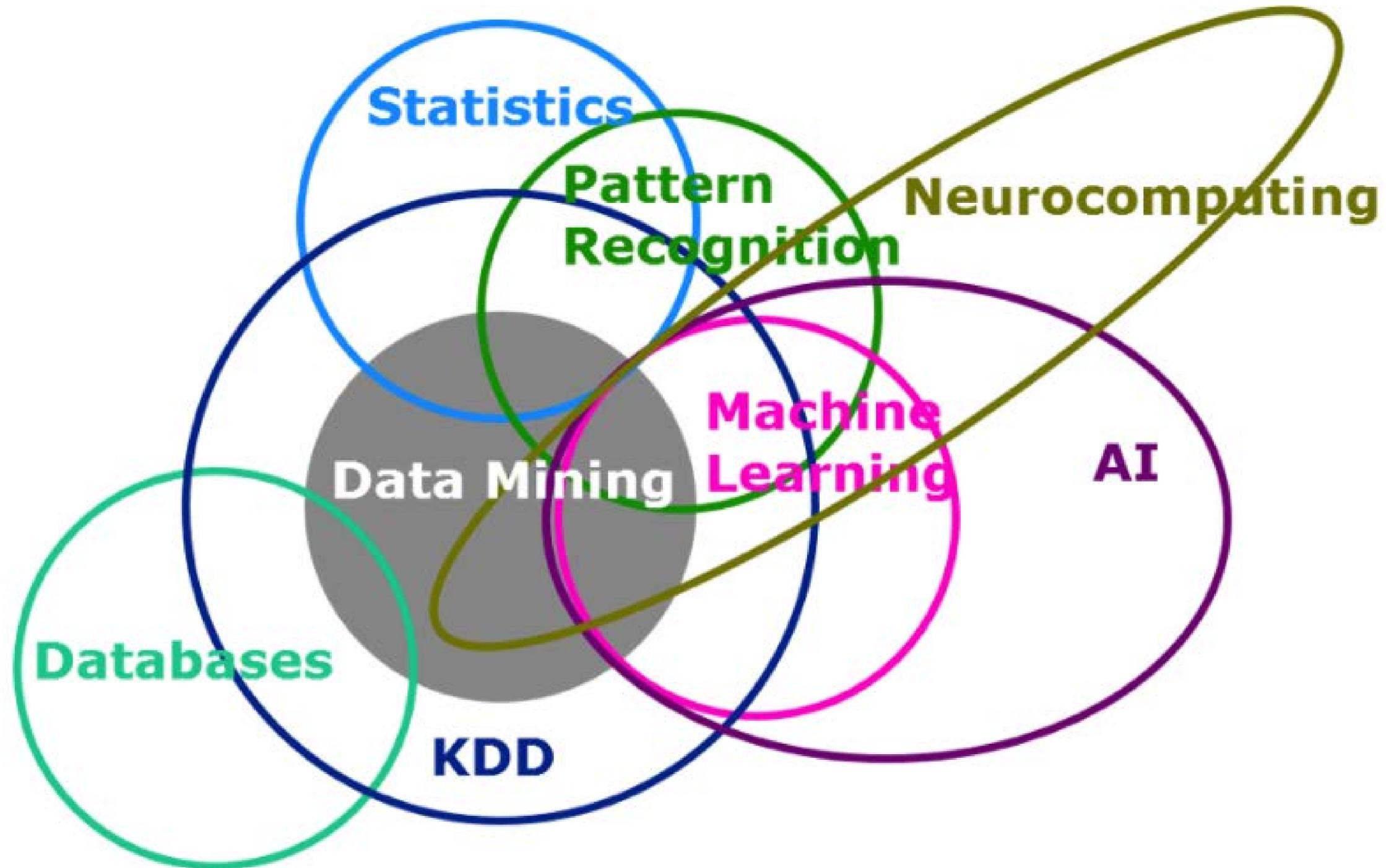
- **인공 지능이란?**

→ 이러한 지능 현상을 인공적으로 구현하려는 연구

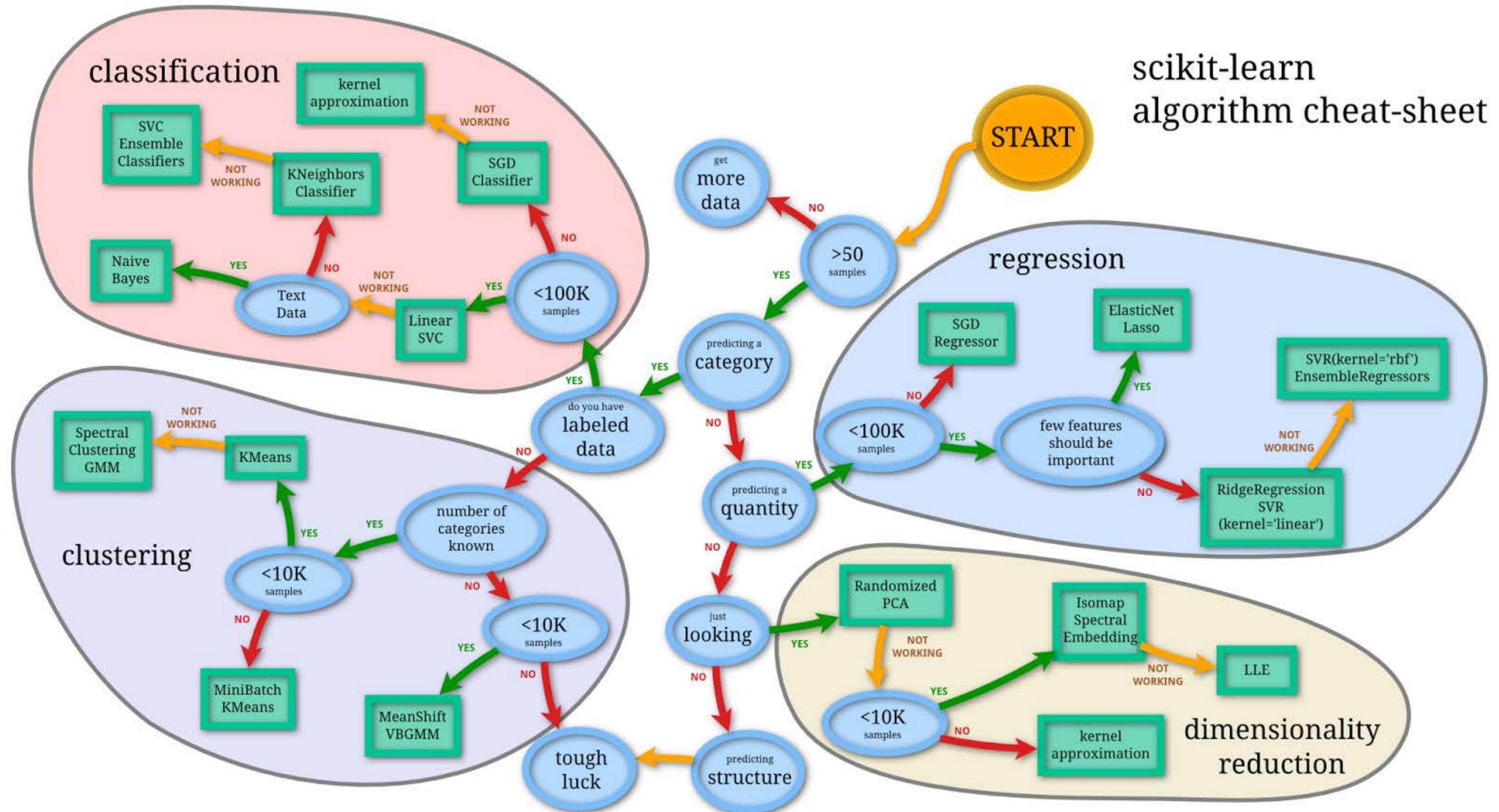
What is AI? ML?



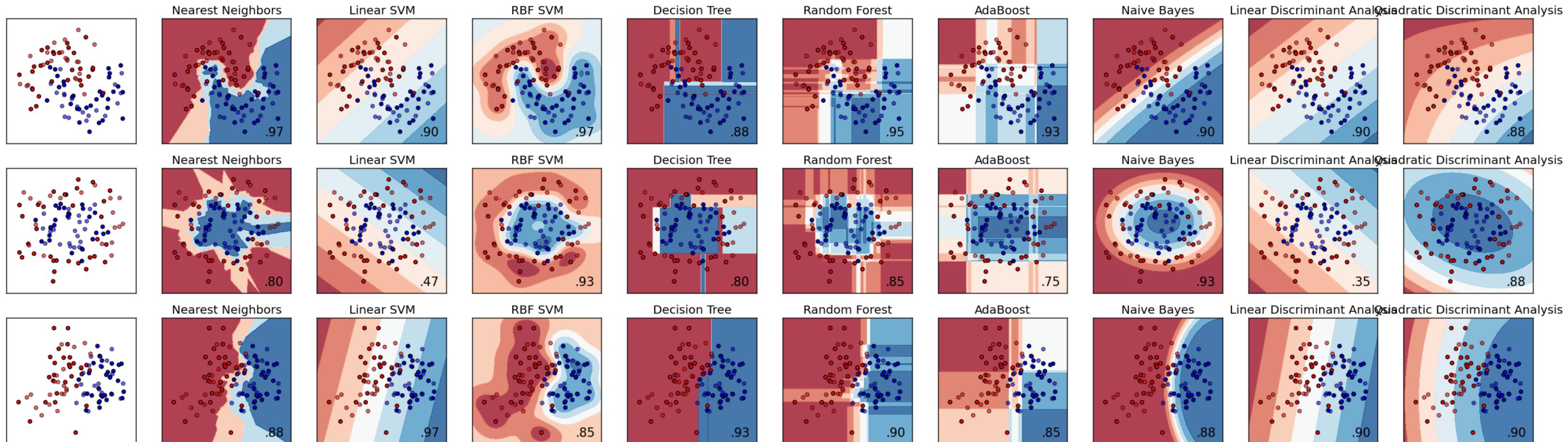
Various Field in ML



Various Task in ML

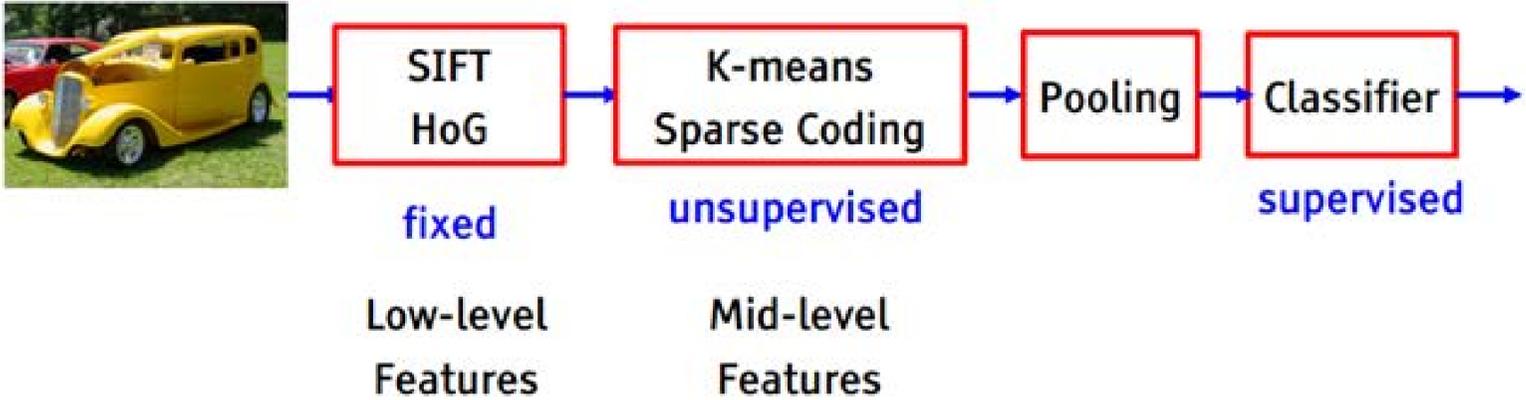


Various Algorithm in ML

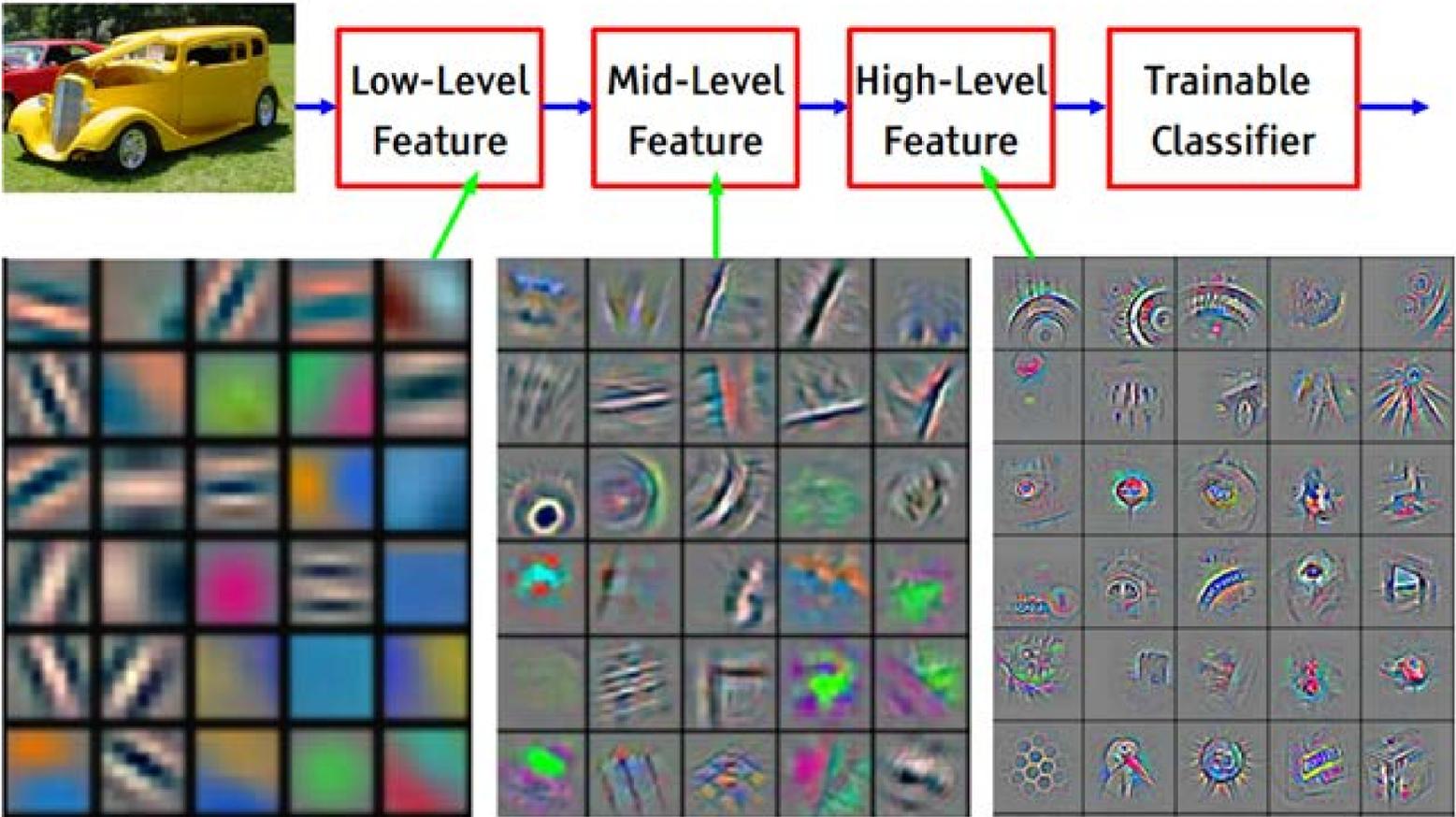


Conventional AI vs ML

Object recognition 2006-2012



State of the art object recognition using CNNs



Machine Learning

- Supervised Learning :

$$y = f(x)$$

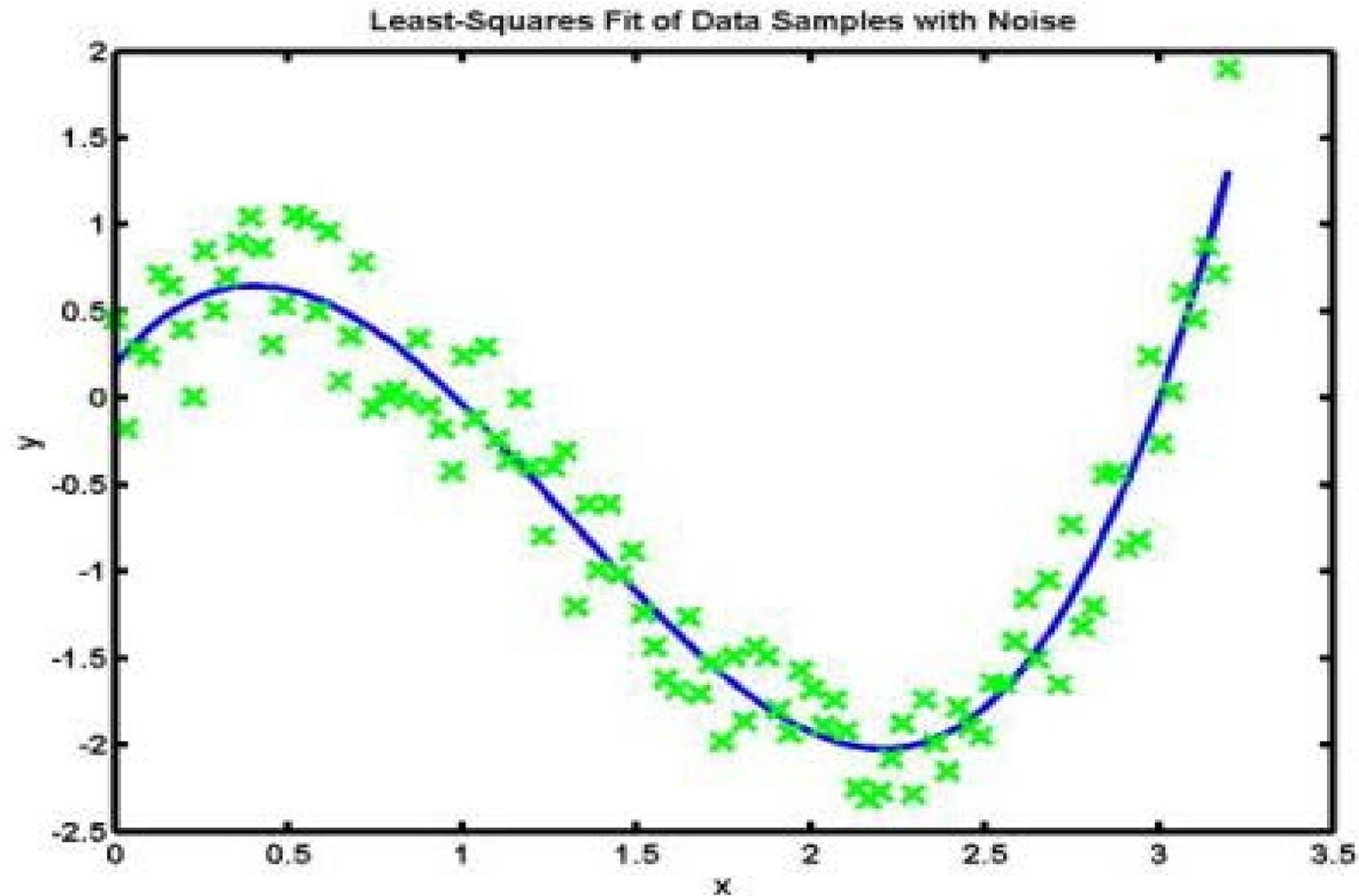
- Unsupervised Learning :

$$x \sim p(x) \quad \text{or} \quad x = f(x)$$

- Reinforcement Learning :

Find a policy, $p(a|s)$ which maximizes the sum of reward

Example of Supervised Learning : Polynomial Curve Fitting



추세선 서식

추세선 옵션

선 색

선 스타일

그림자

추세/회귀 유형

- 지수(X)
- 선형(L)
- 로그(Q)
- 다항식(P) 차수(D): 2
- 거듭제곱(W)
- 이동 평균(M) 구간(E): 2

추세선 이름

- 자동(A): 선형 (계열1)
- 사용자 지정(C):

예측

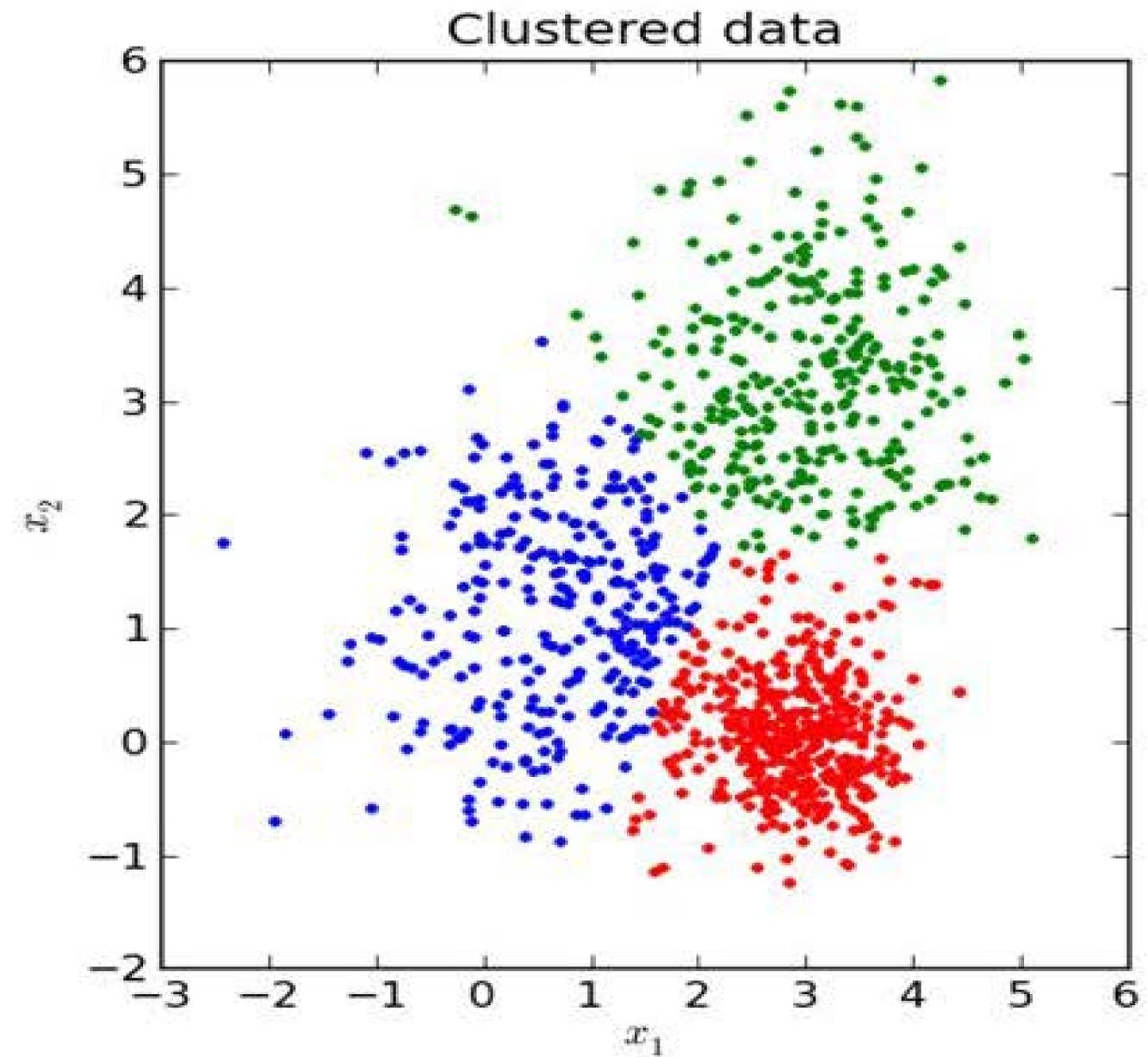
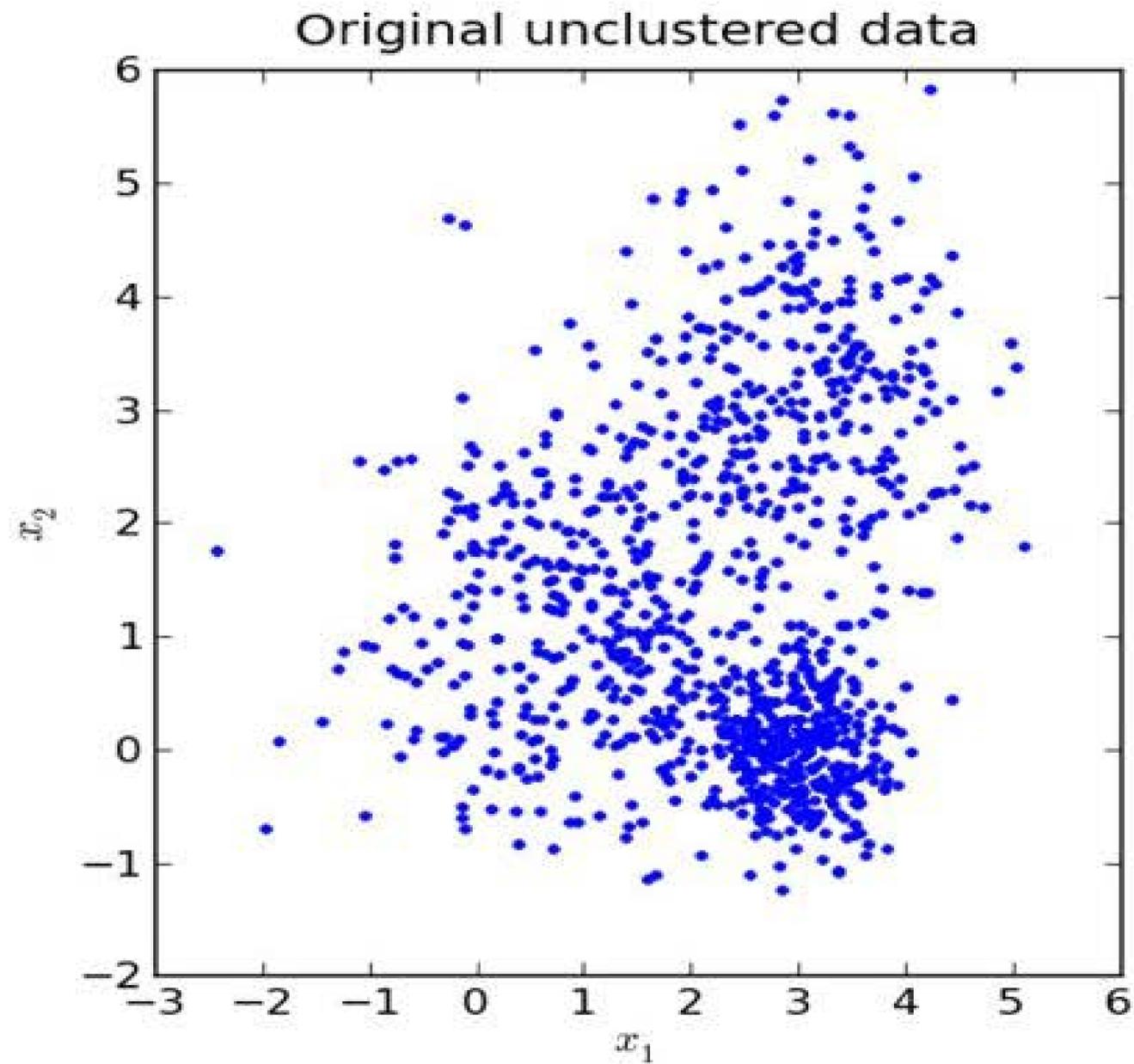
앞으로(F): 0,0 구간

뒤로(B): 0,0 구간

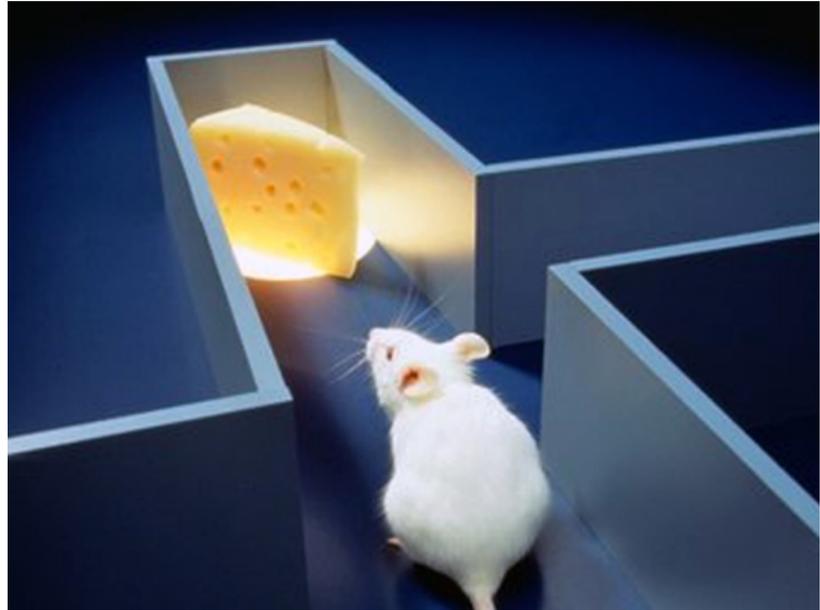
- 절편(S) = 0,0
- 수식을 차트에 표시(E)
- R-제곱 값을 차트에 표시(B)

닫기

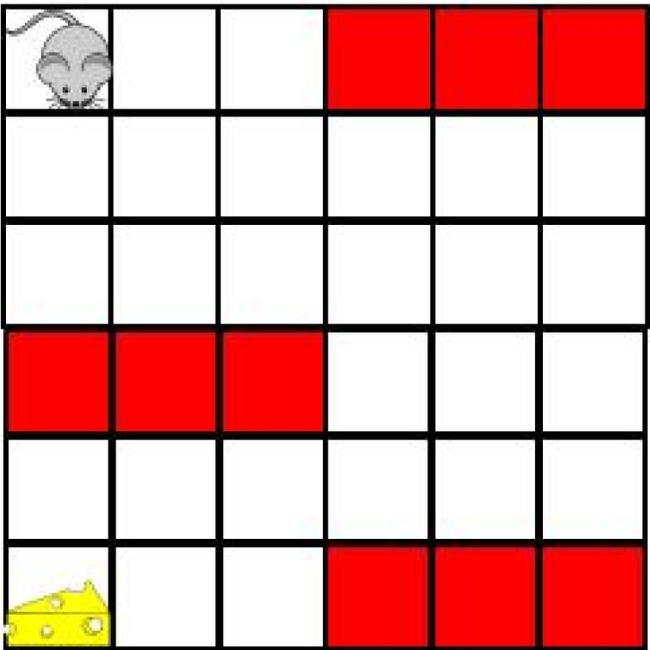
Example of Unsupervised Learning : **Clustering**



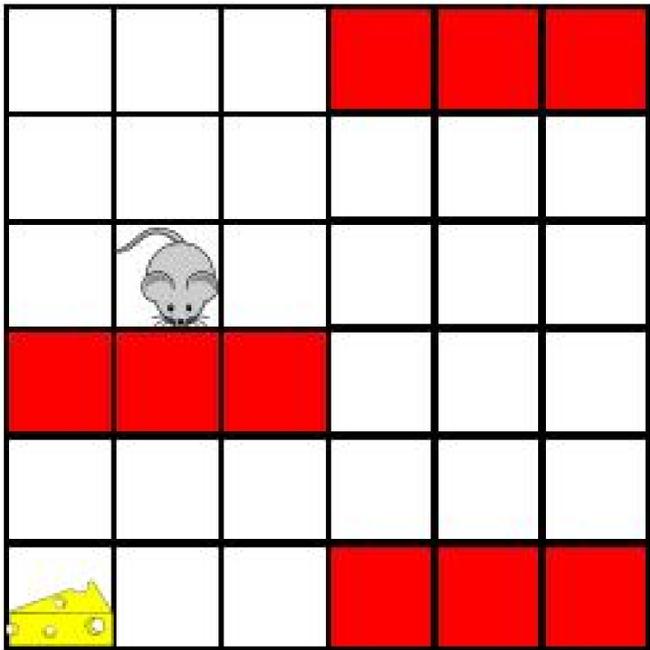
Example of Reinforcement Learning : Optimal Control Problem



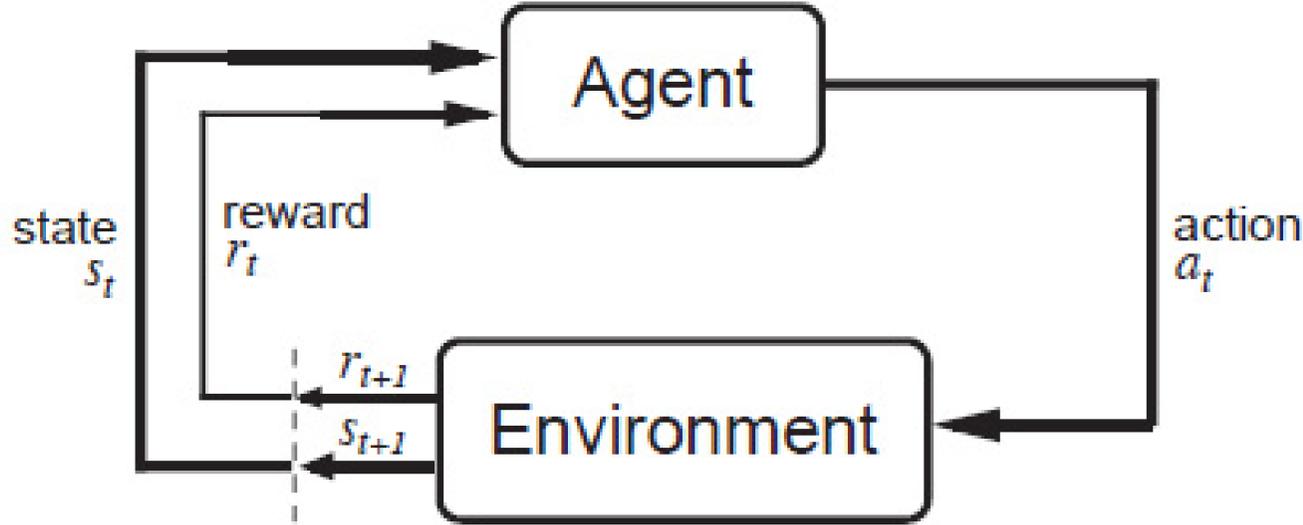
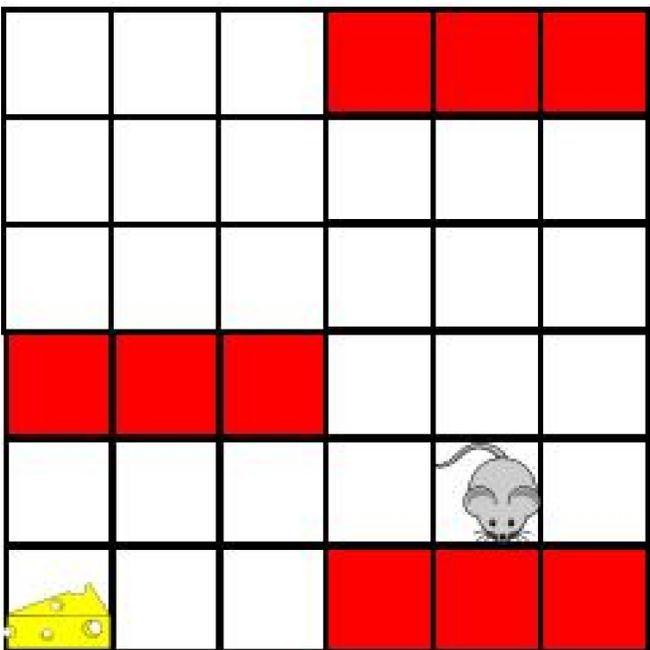
State 1



State 2

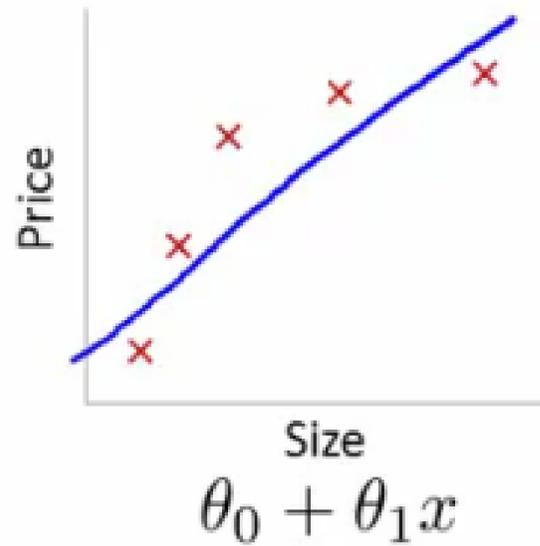


State 3

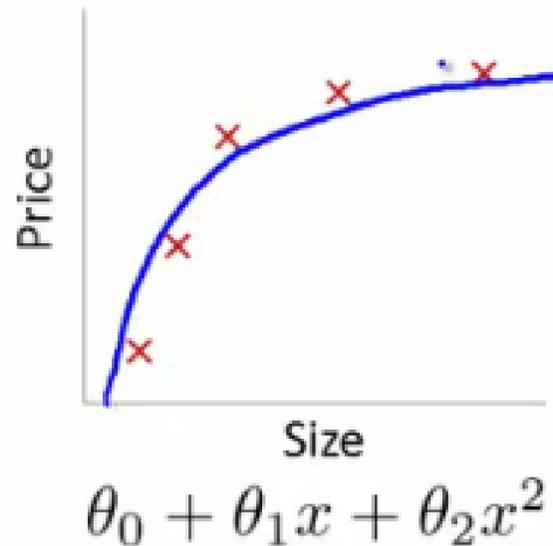


Basic Theory

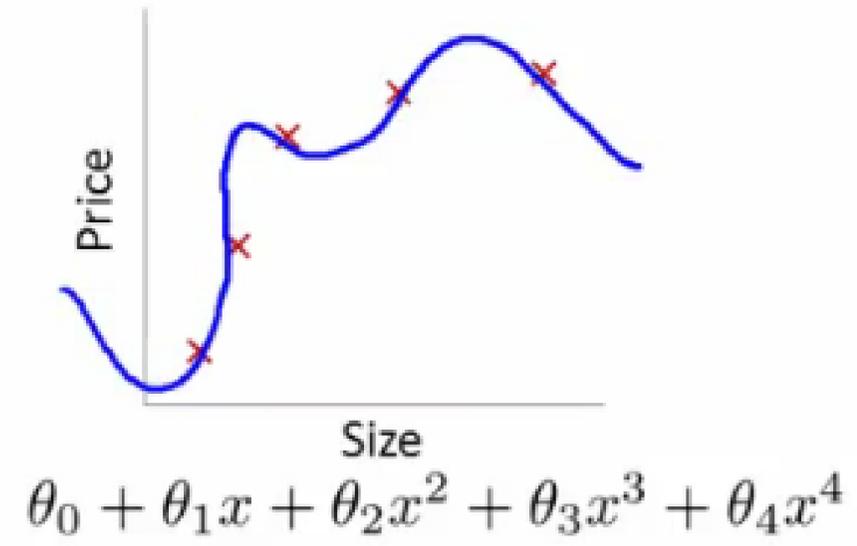
Overfitting / Underfitting



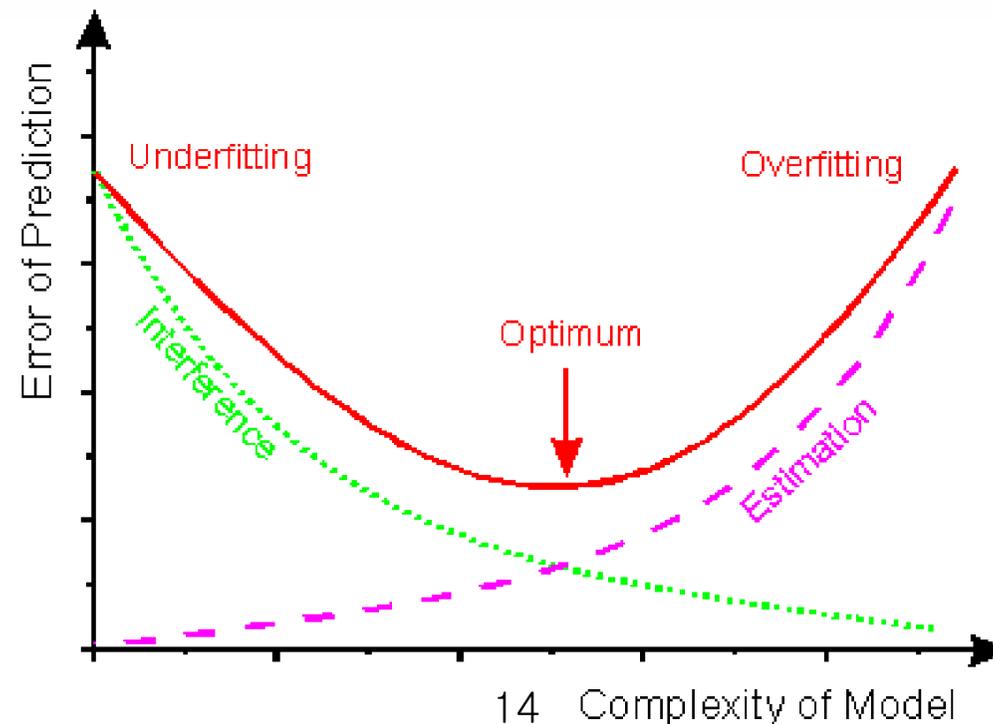
High bias
(underfit)



“Just right”

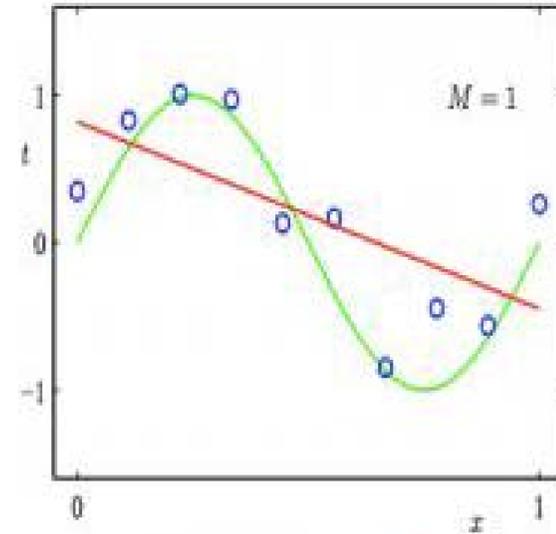


High variance
(overfit)

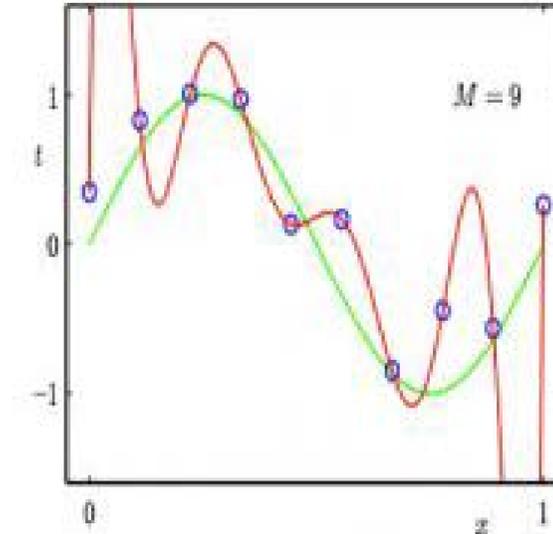
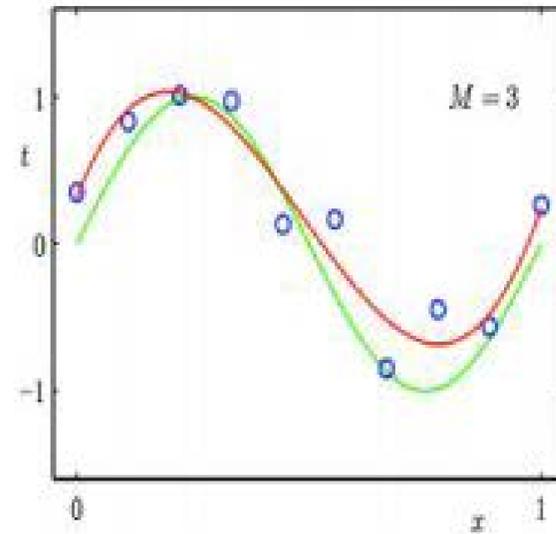


Overfitting / Underfitting

Regression:

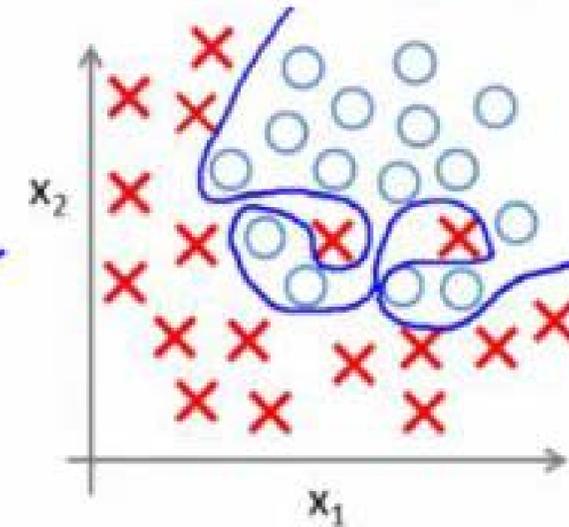
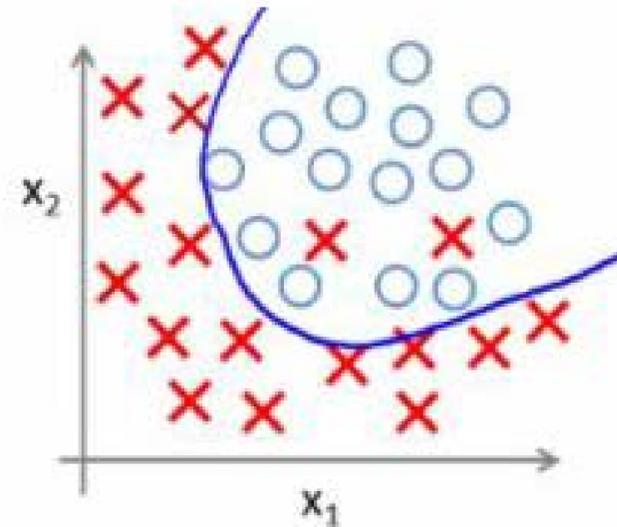
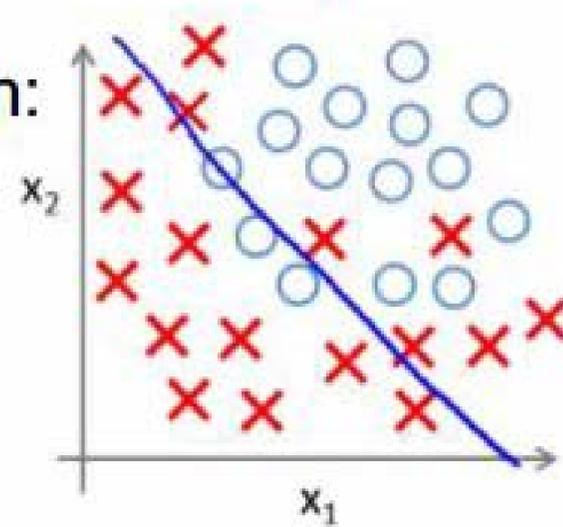


predictor too inflexible:
cannot capture pattern

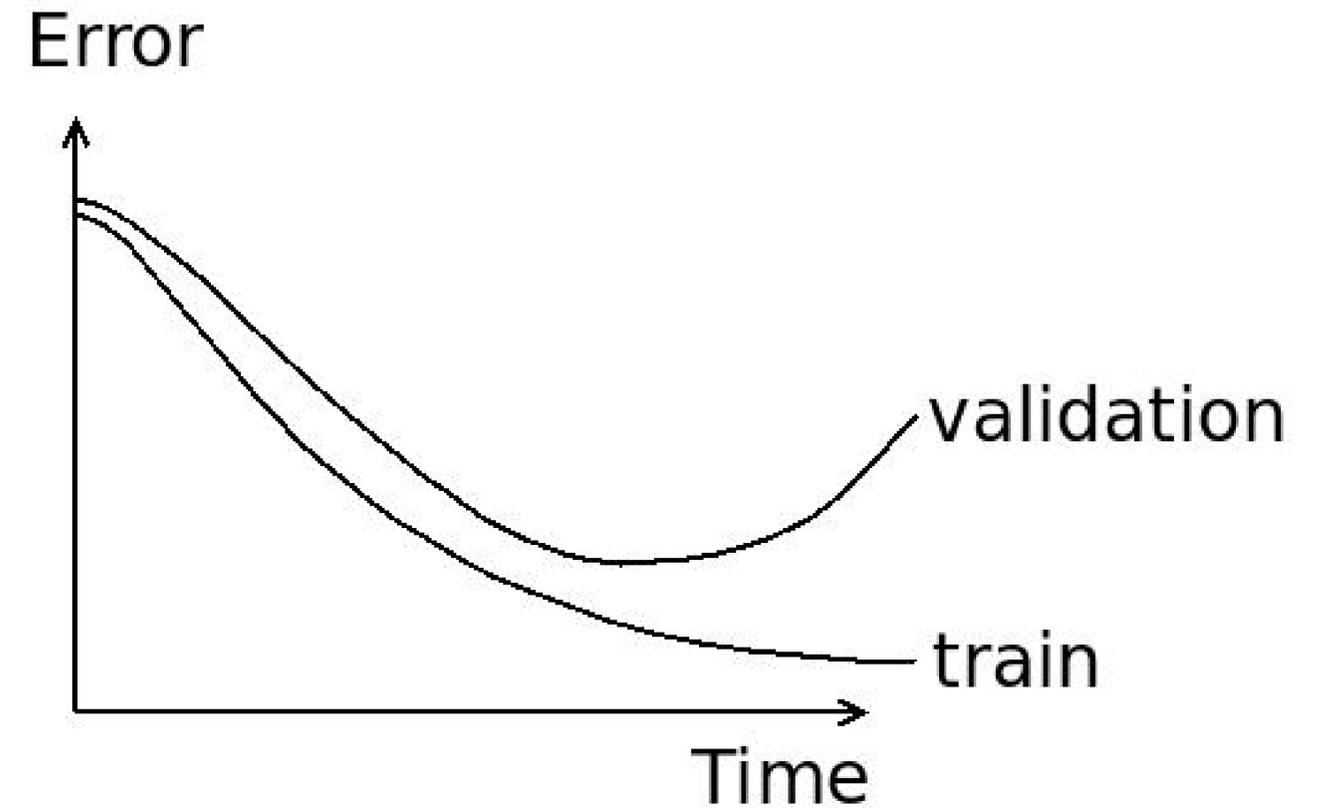
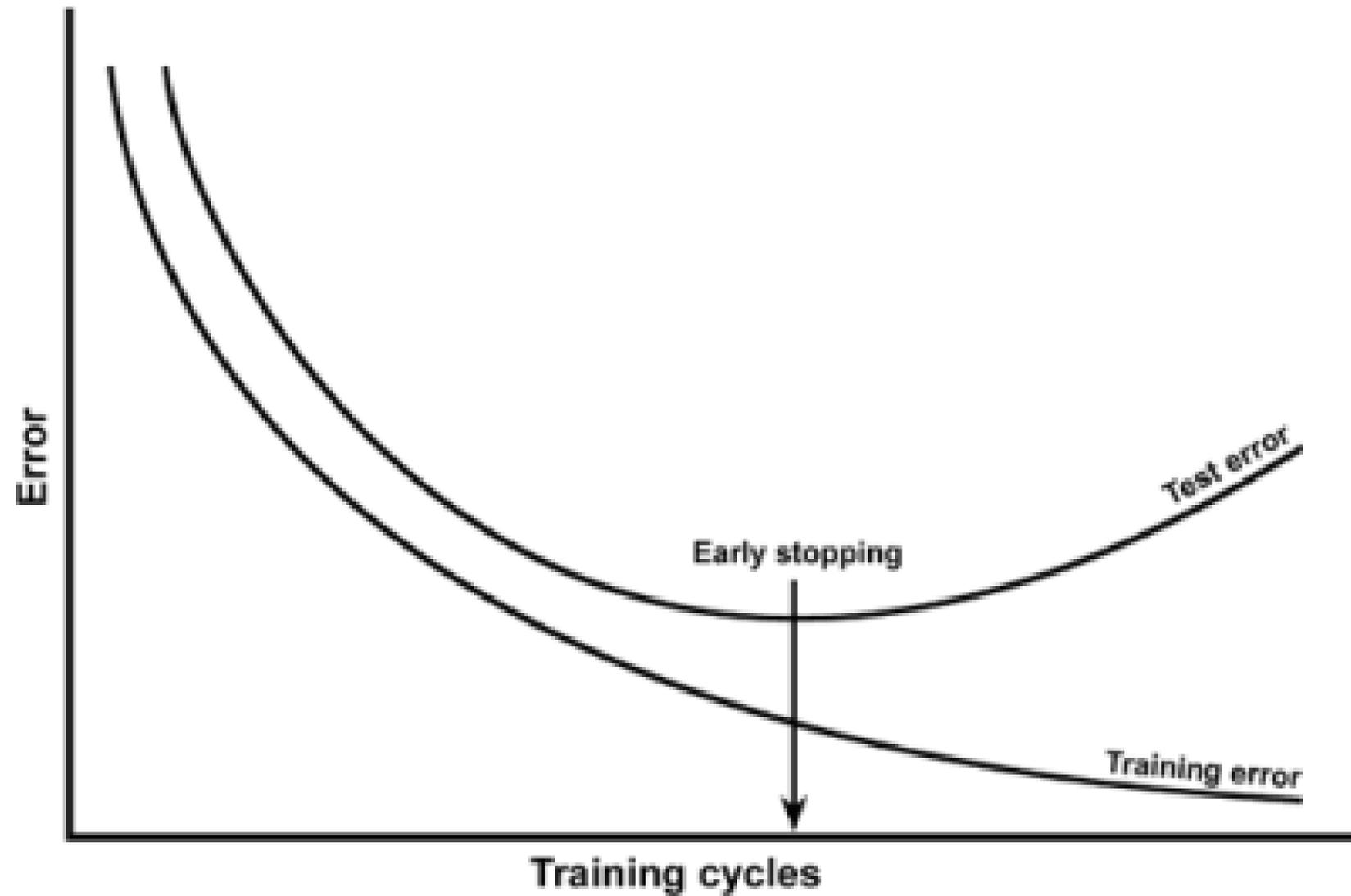


predictor too flexible:
fits noise in the data

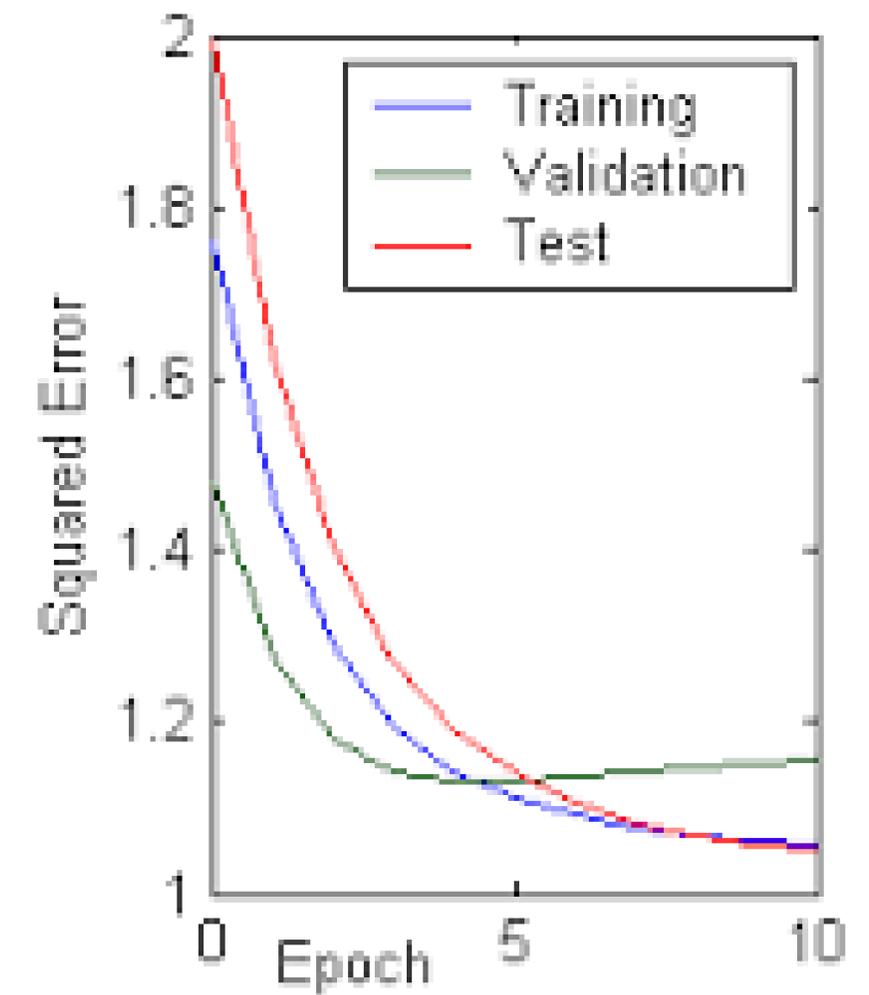
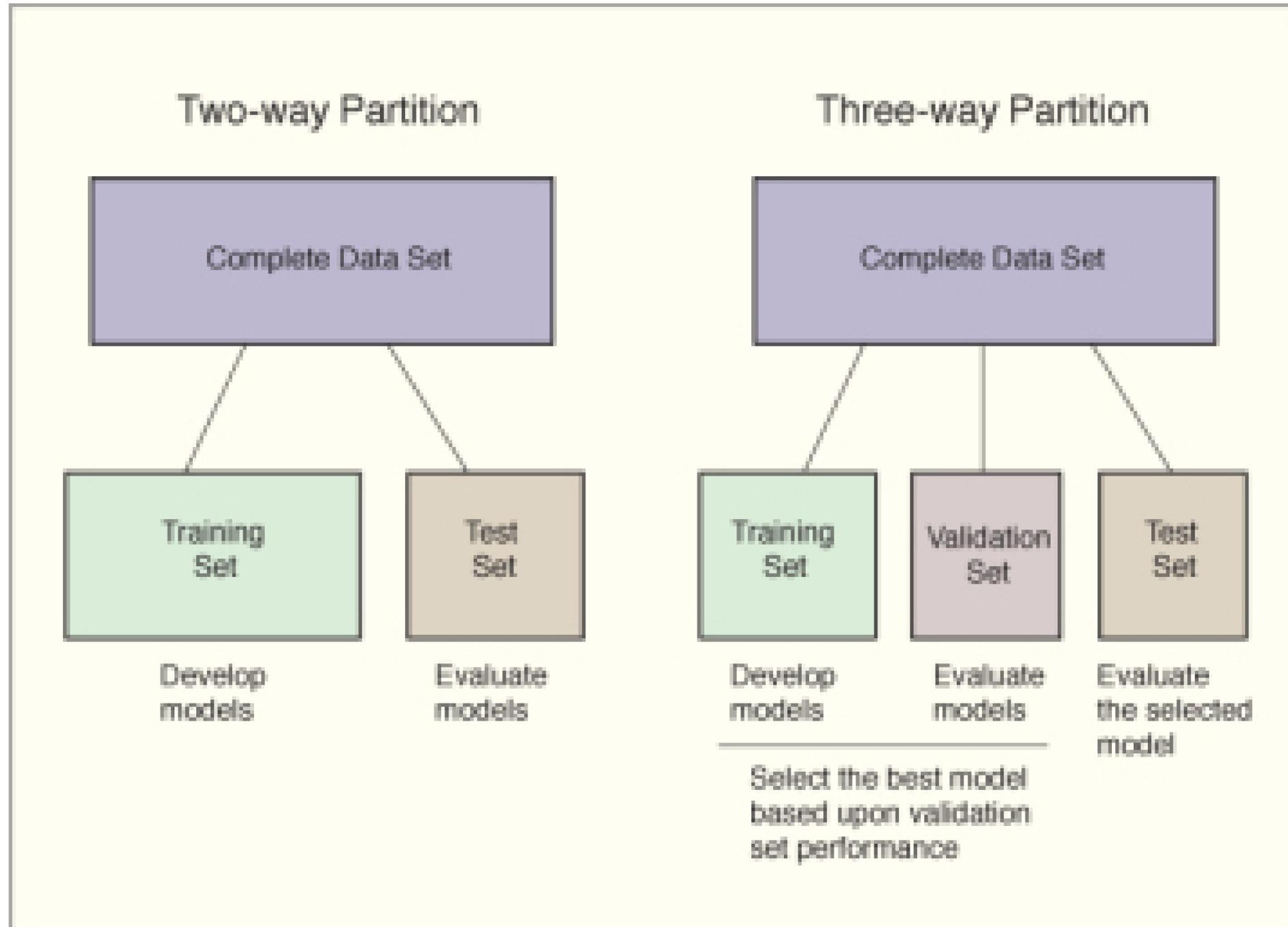
Classification:



Training / Test / Validation

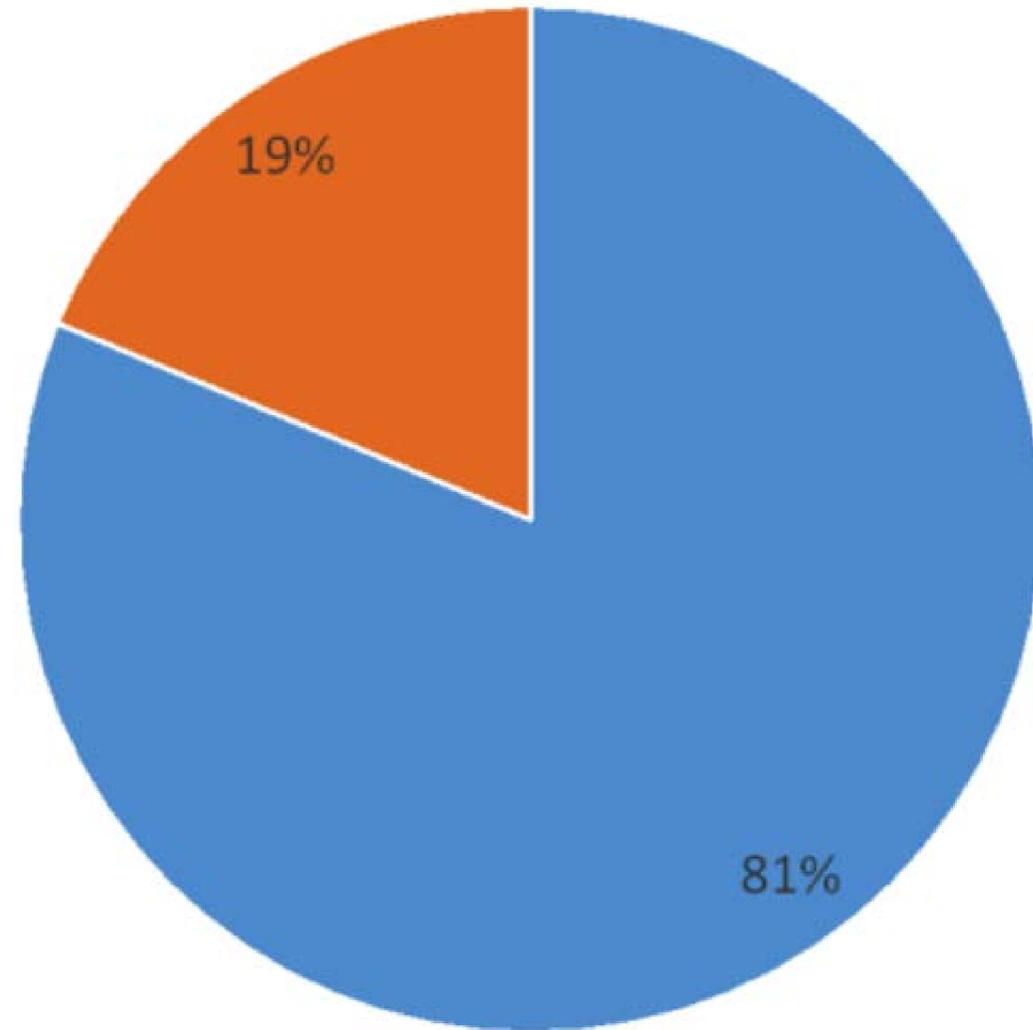


Machine Learning



Validation Dataset

Percentage Split

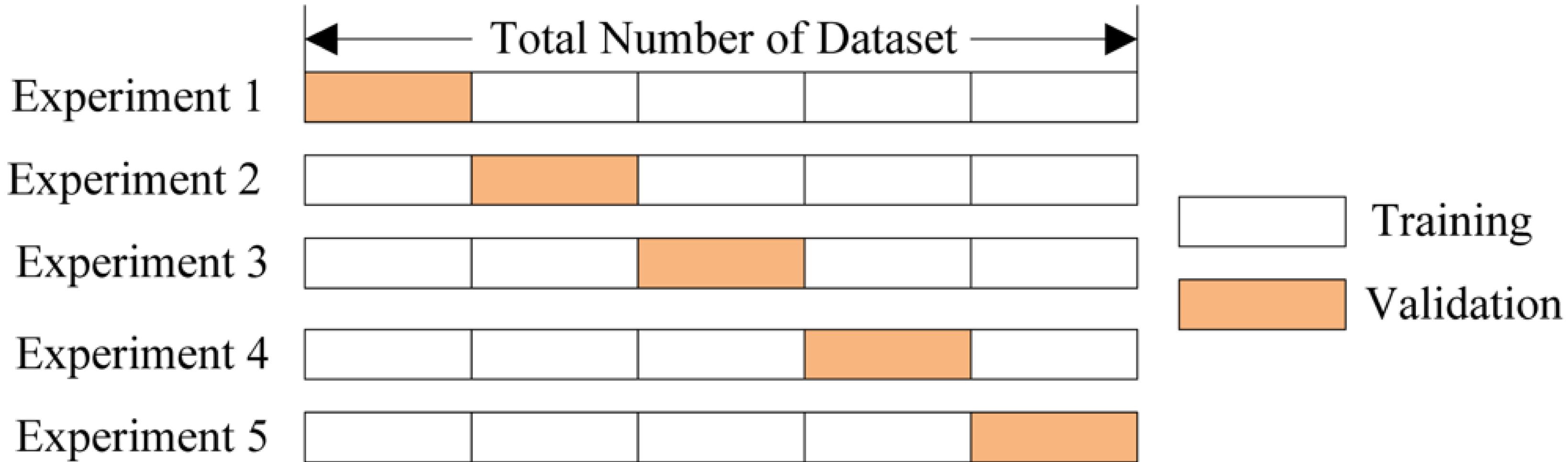


- Problems

1) 모든 데이터를 학습에 사용하지 못함.

2) 해당 split에만 운 좋게 잘할 수 있음.(Overfitting)

Cross-validation



Linear Regression

- **Linear combination** of those vectors with those scalars as coefficients

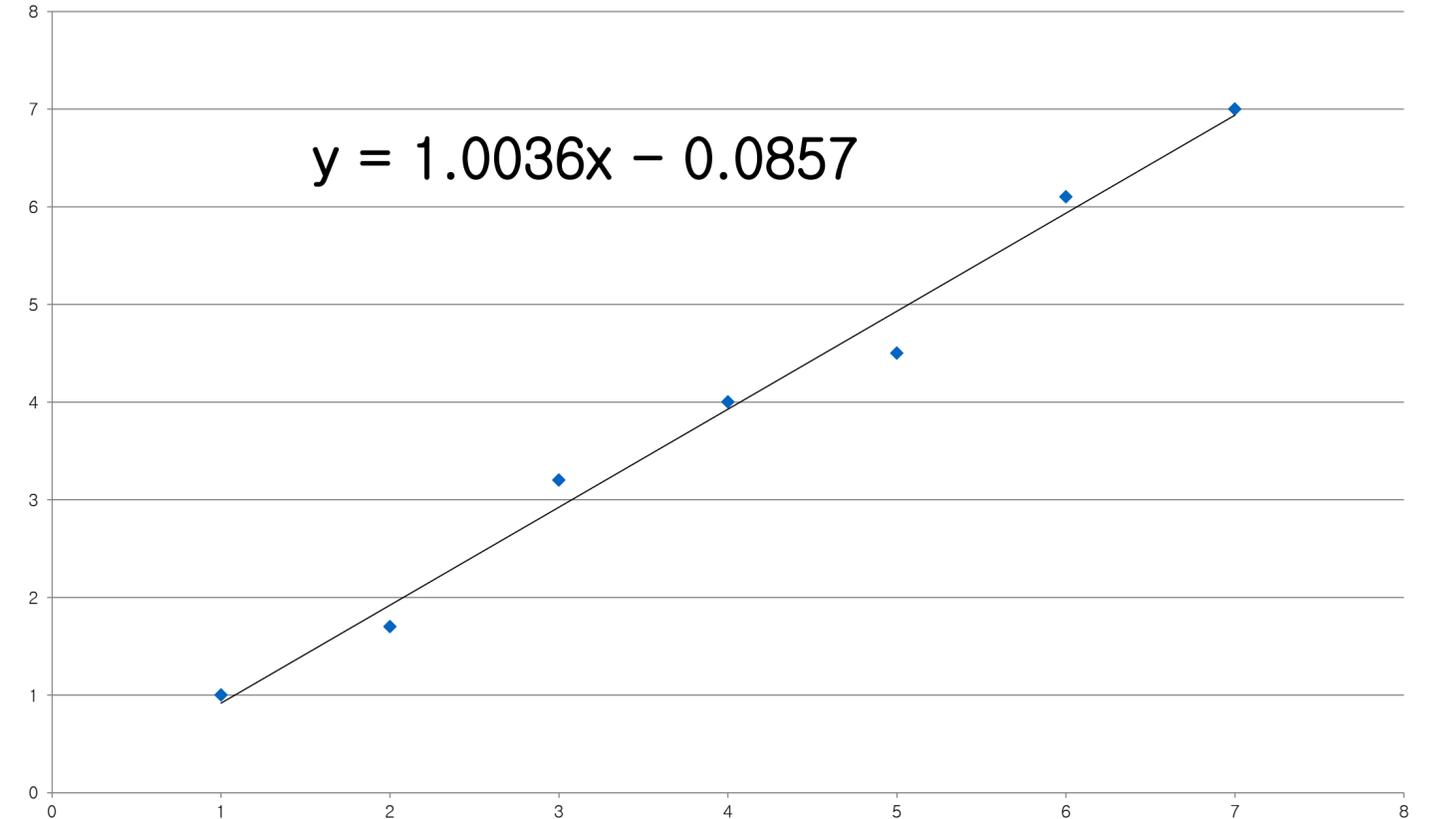
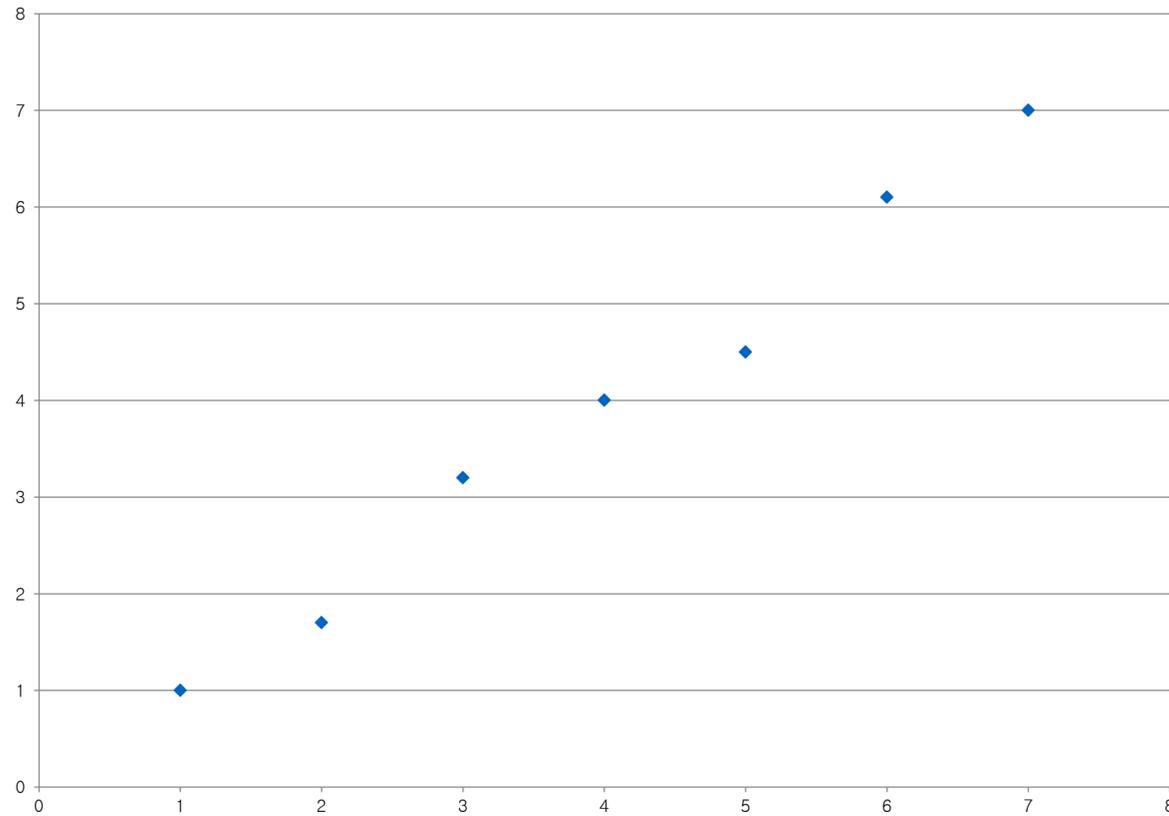
$$a_1 \vec{v}_1 + a_2 \vec{v}_2 + a_3 \vec{v}_3 + \dots + a_n \vec{v}_n$$

- **Linear Regression** : x 에 w scalars를 계수로 곱해서 y 를 regression 한 것

$$y(\mathbf{x}, \mathbf{w}) = w_0 + w_1 x_1 + \dots + w_D x_D$$

Linear Regression

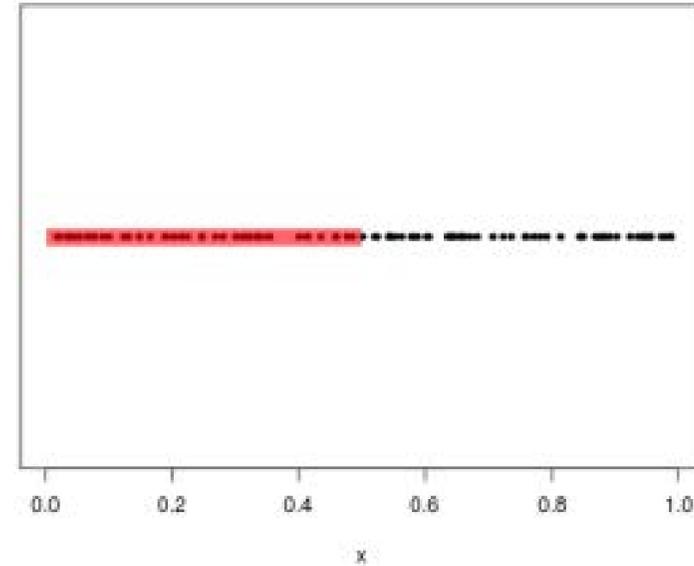
X	Y
1	1
2	1.7
3	3.2
4	4
5	4.5
6	6.1
7	7



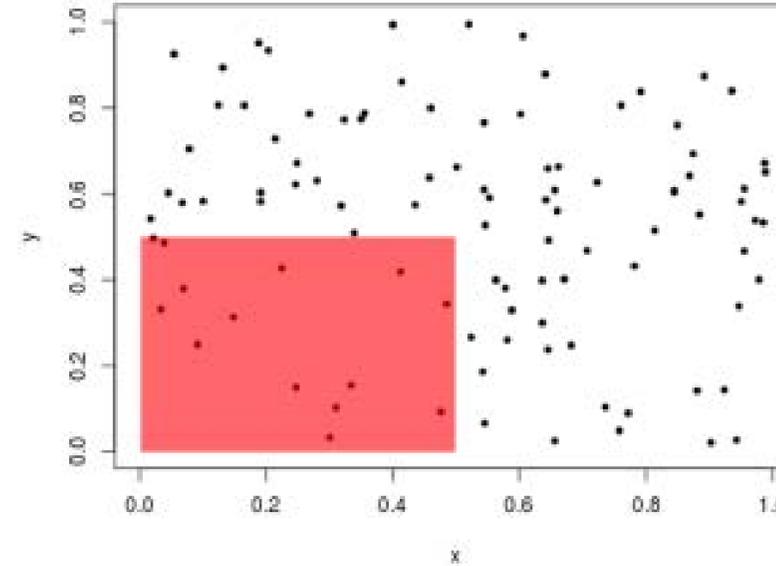
$$y = ax + b$$

Curse of Dimensionality

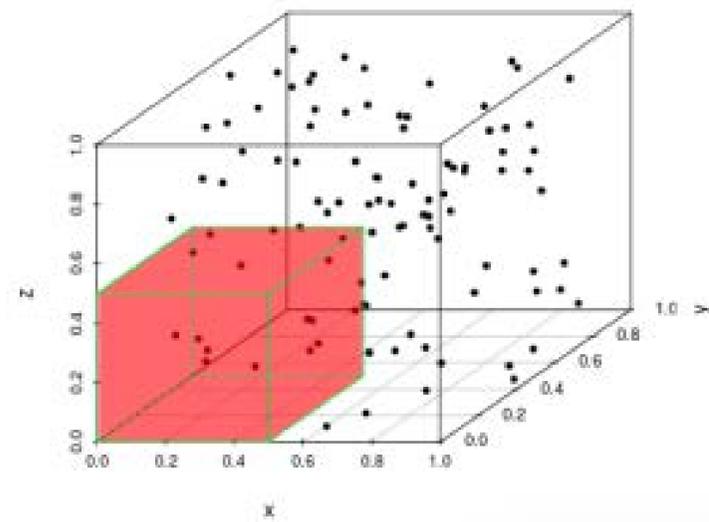
1-D: 42% of data captured.



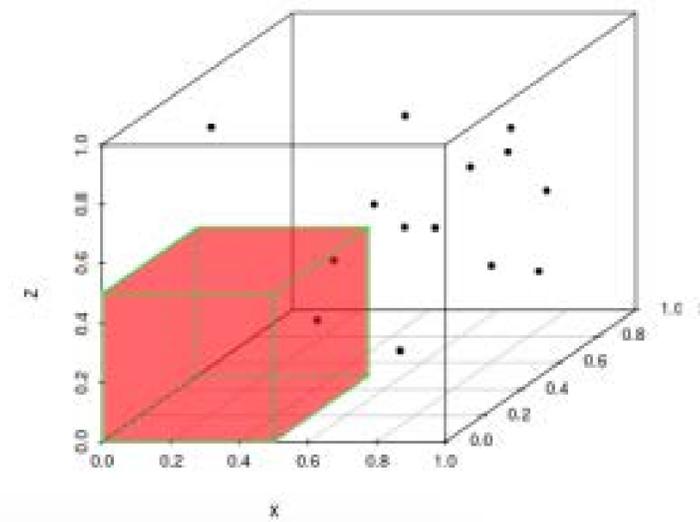
2-D: 14% of data captured.



3-D: 7% of data captured.



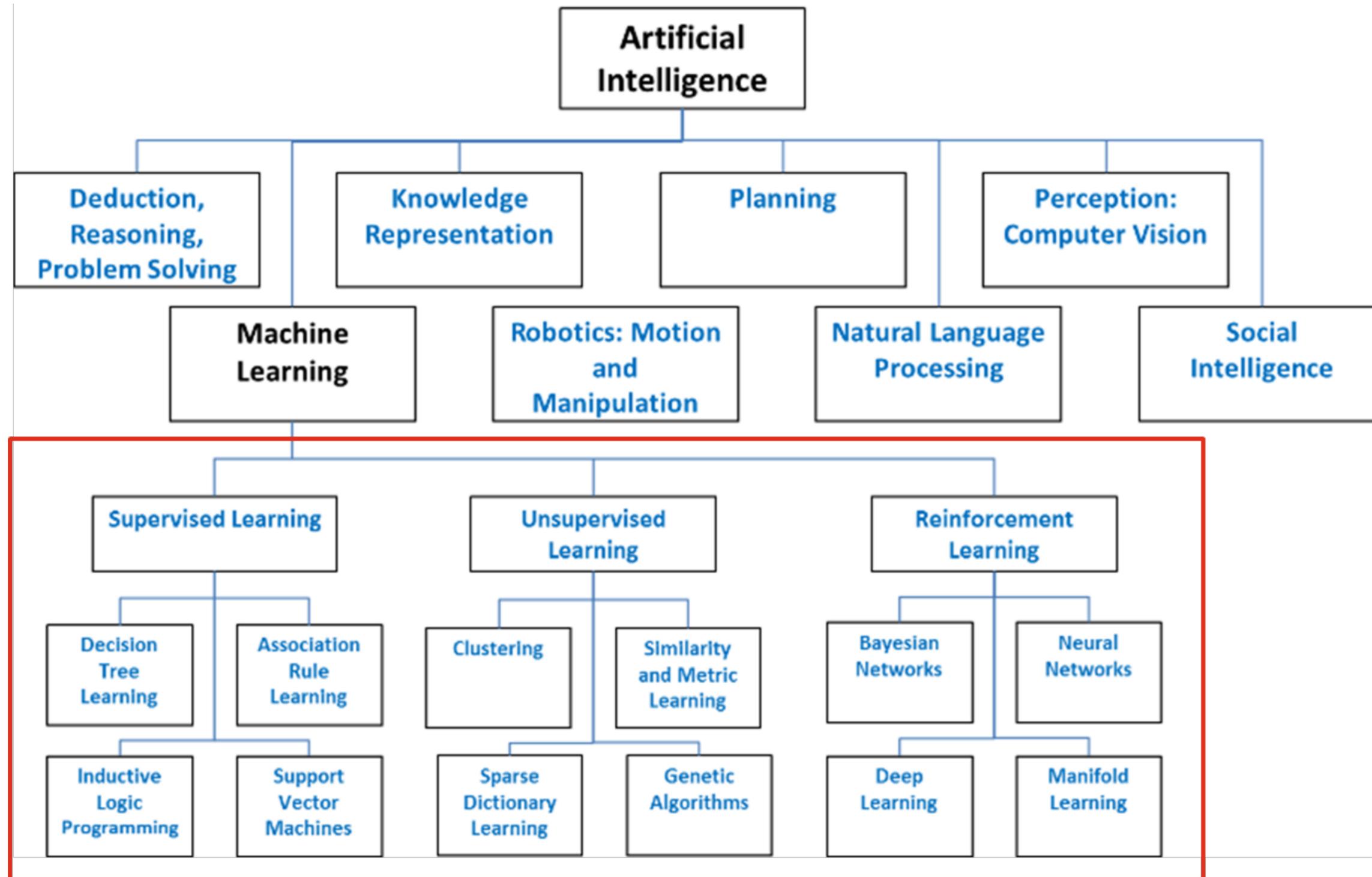
4-D: 3% of data captured.



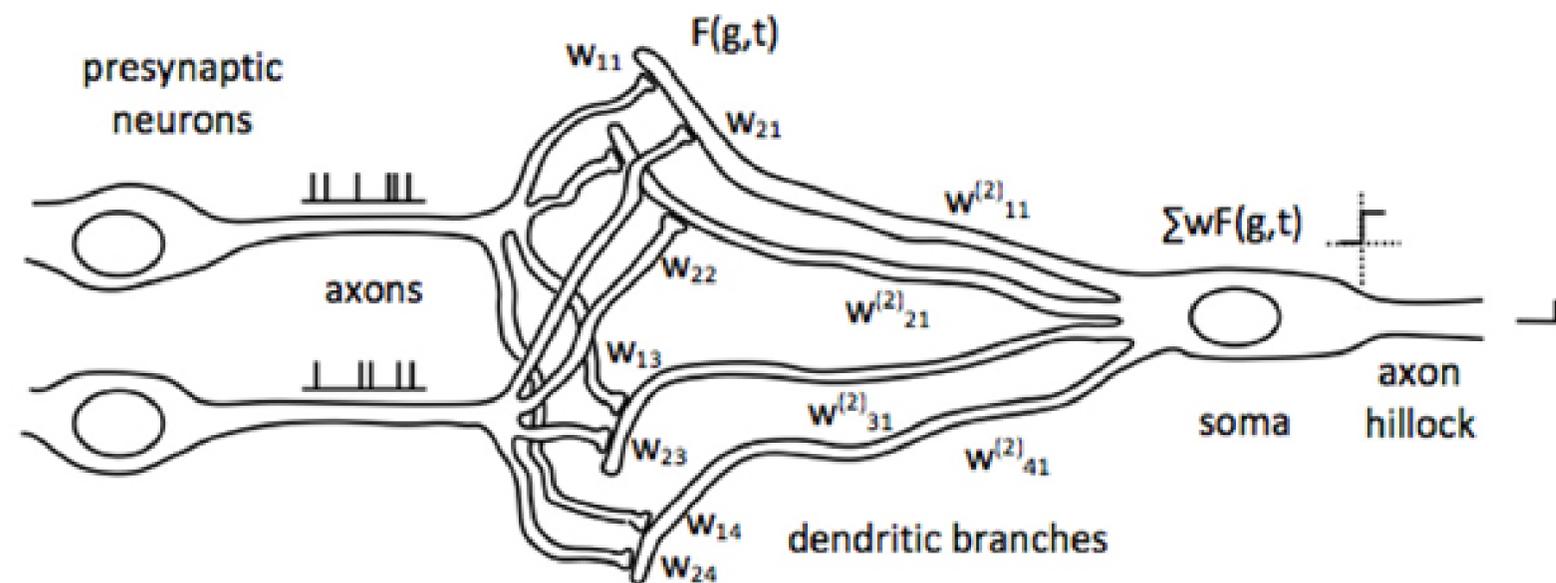
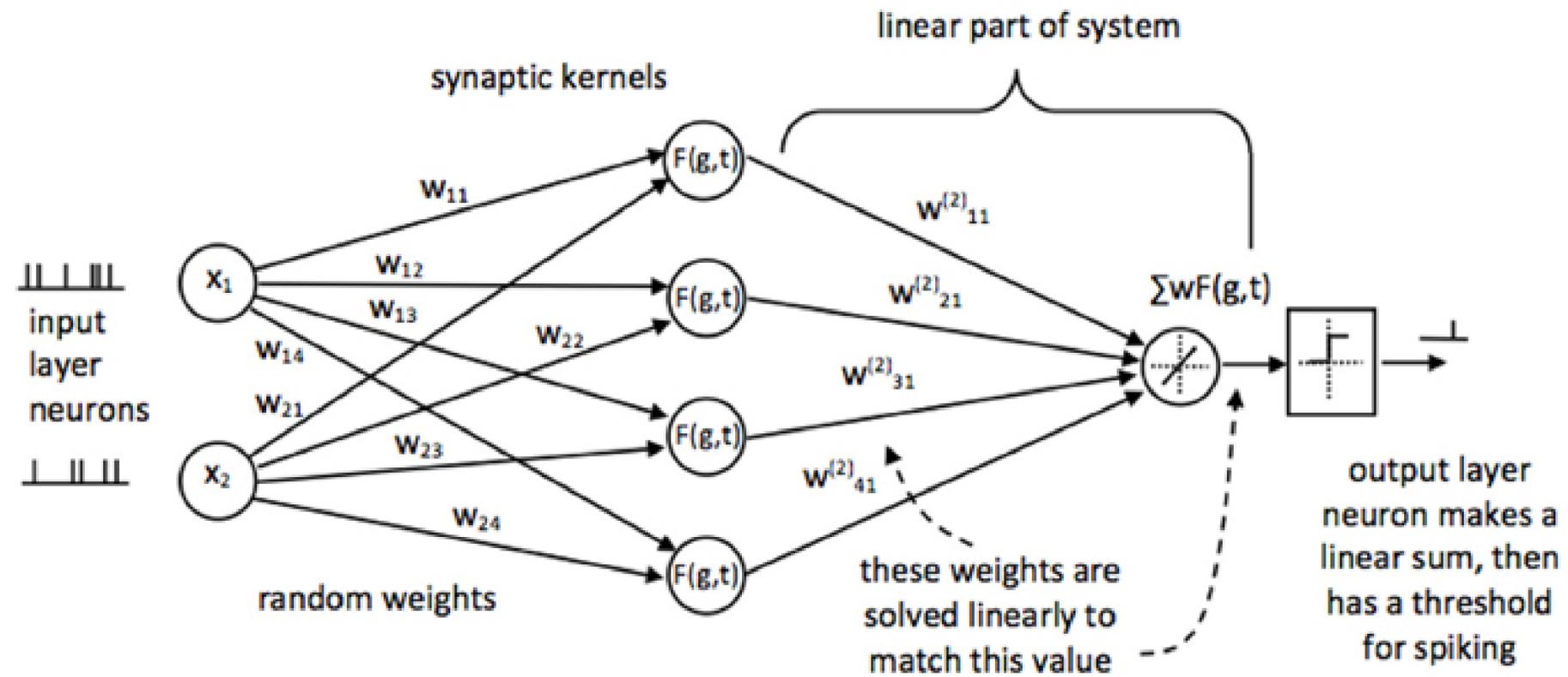
t = 0

Introduction of Deep Learning

Deep Learning



Artificial Neural Networks – Spiking Neuron



Artificial Neural Networks – Rate Coding Neuron

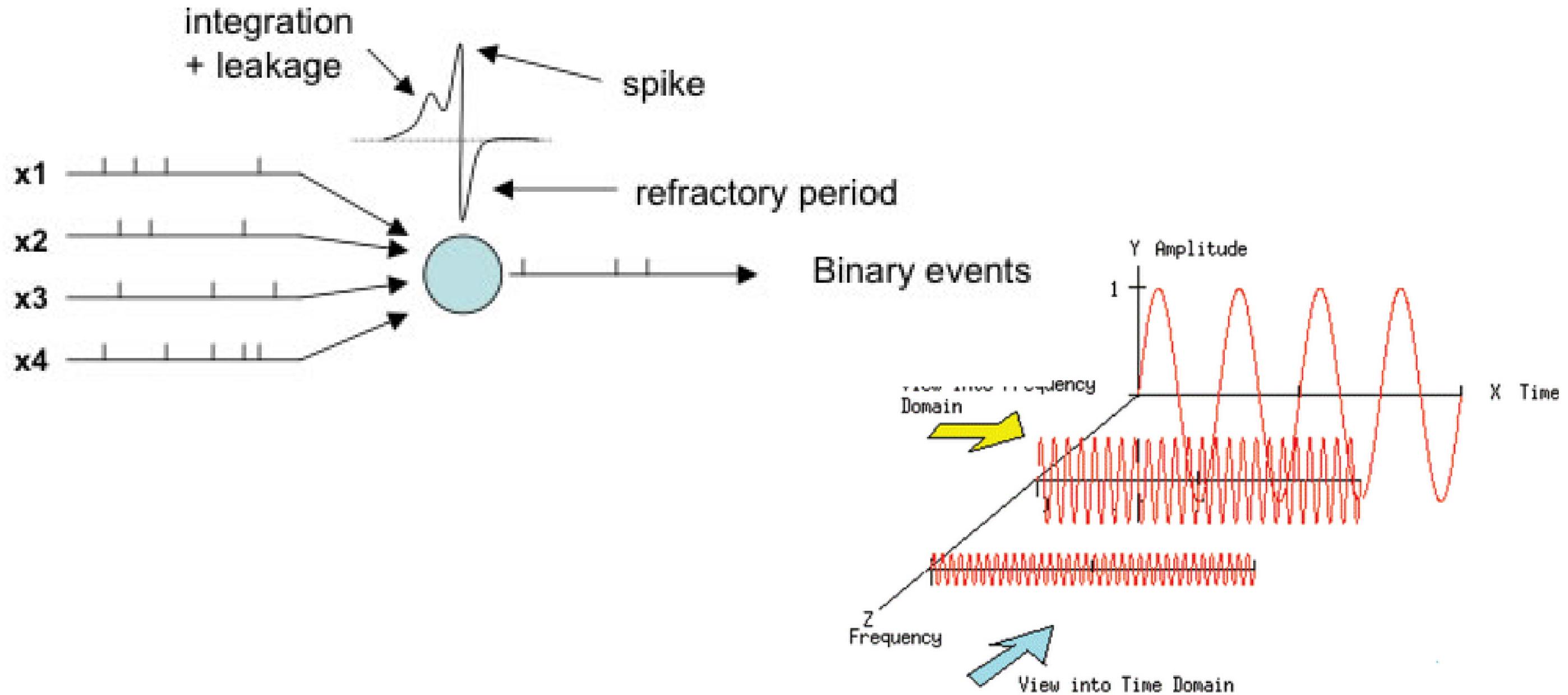
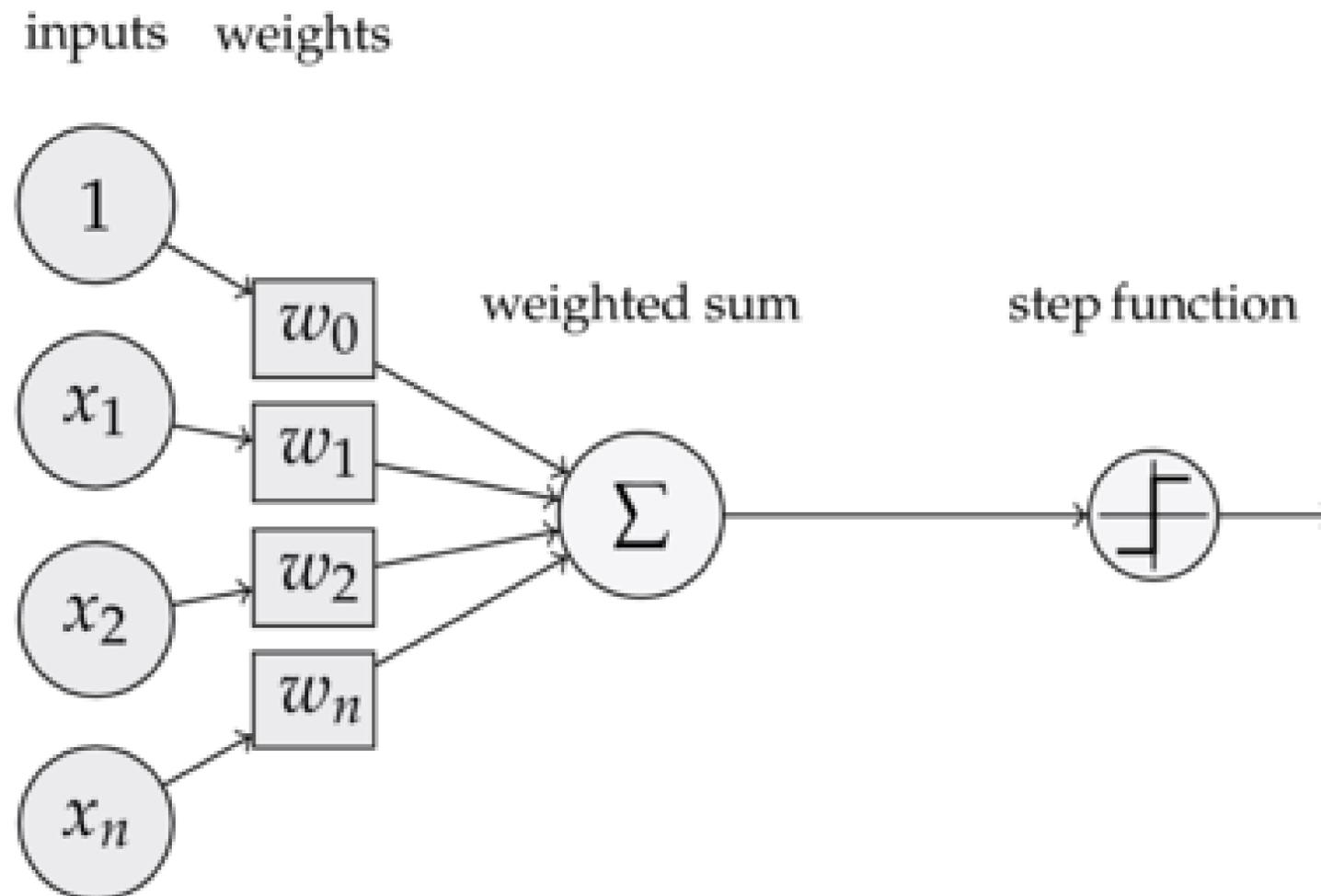


그림 (1) : www.complextoreal.com의 Fourier Analysis Made Easy 인용

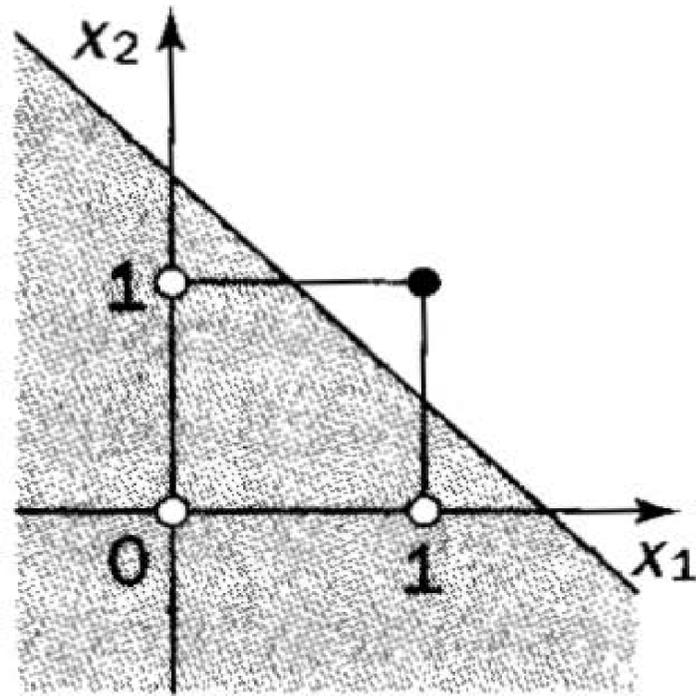
Perceptron

$$s = \sum_{i=0}^n w_i \cdot x_i \quad f(s) = \begin{cases} 1 & \text{if } s \geq 0 \\ 0 & \text{otherwise} \end{cases}$$

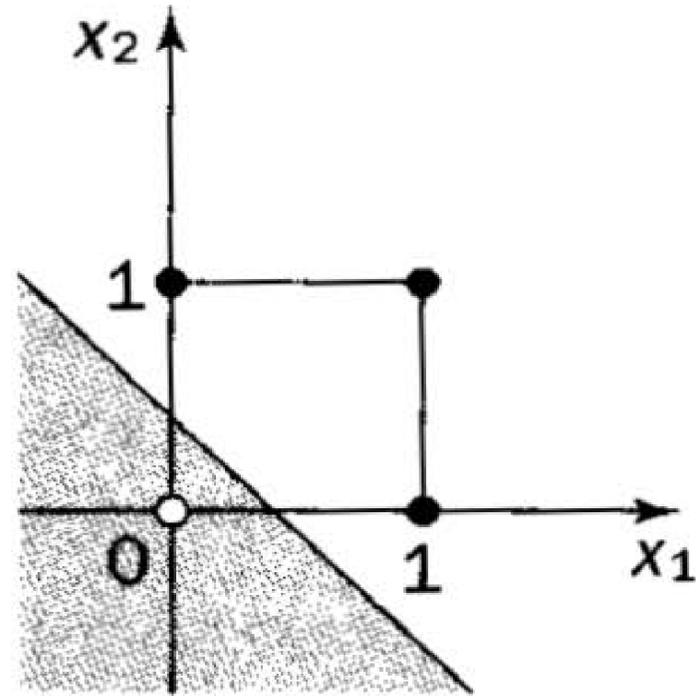


A	B	A OR B
0	0	0
0	1	1
1	0	1
1	1	1

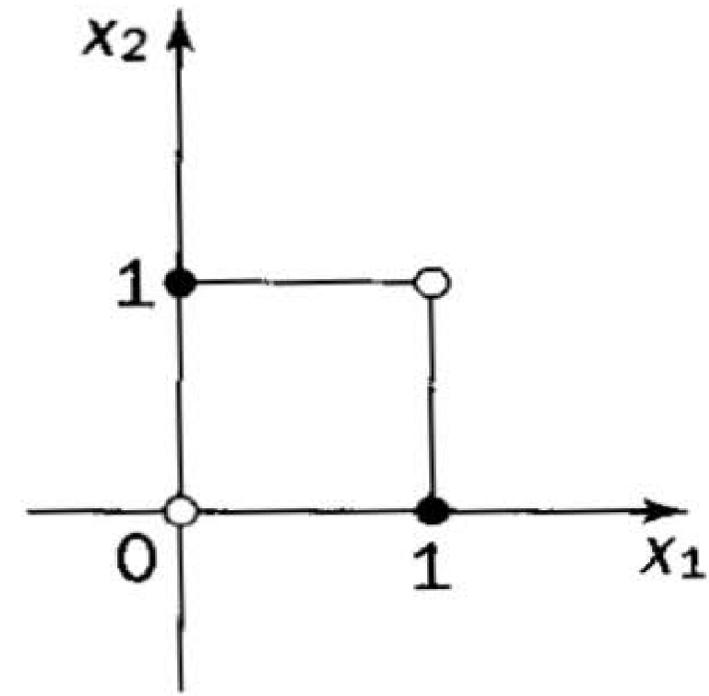
Perceptron – XOR



(a) AND ($x_1 \cap x_2$)



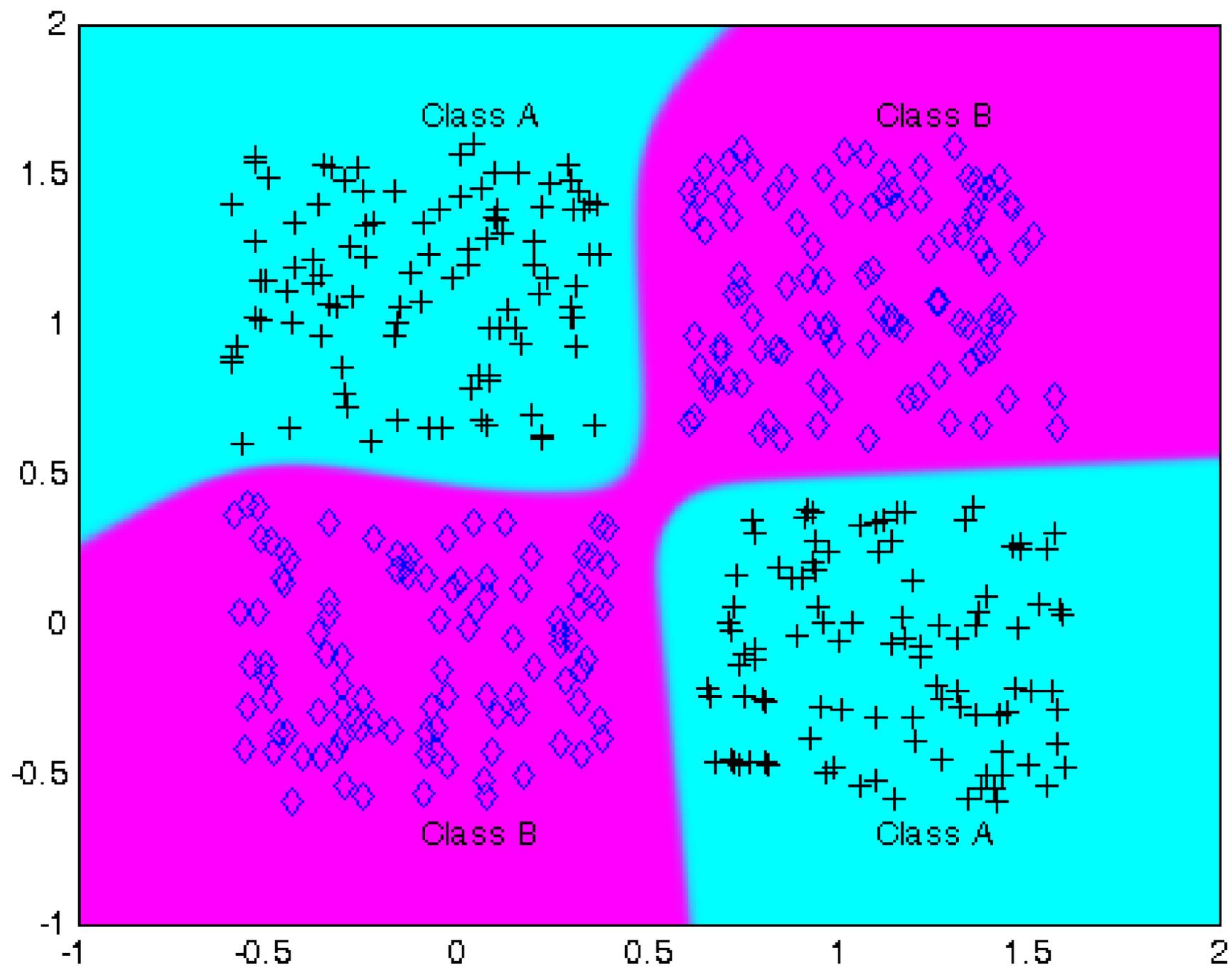
(b) OR ($x_1 \cup x_2$)



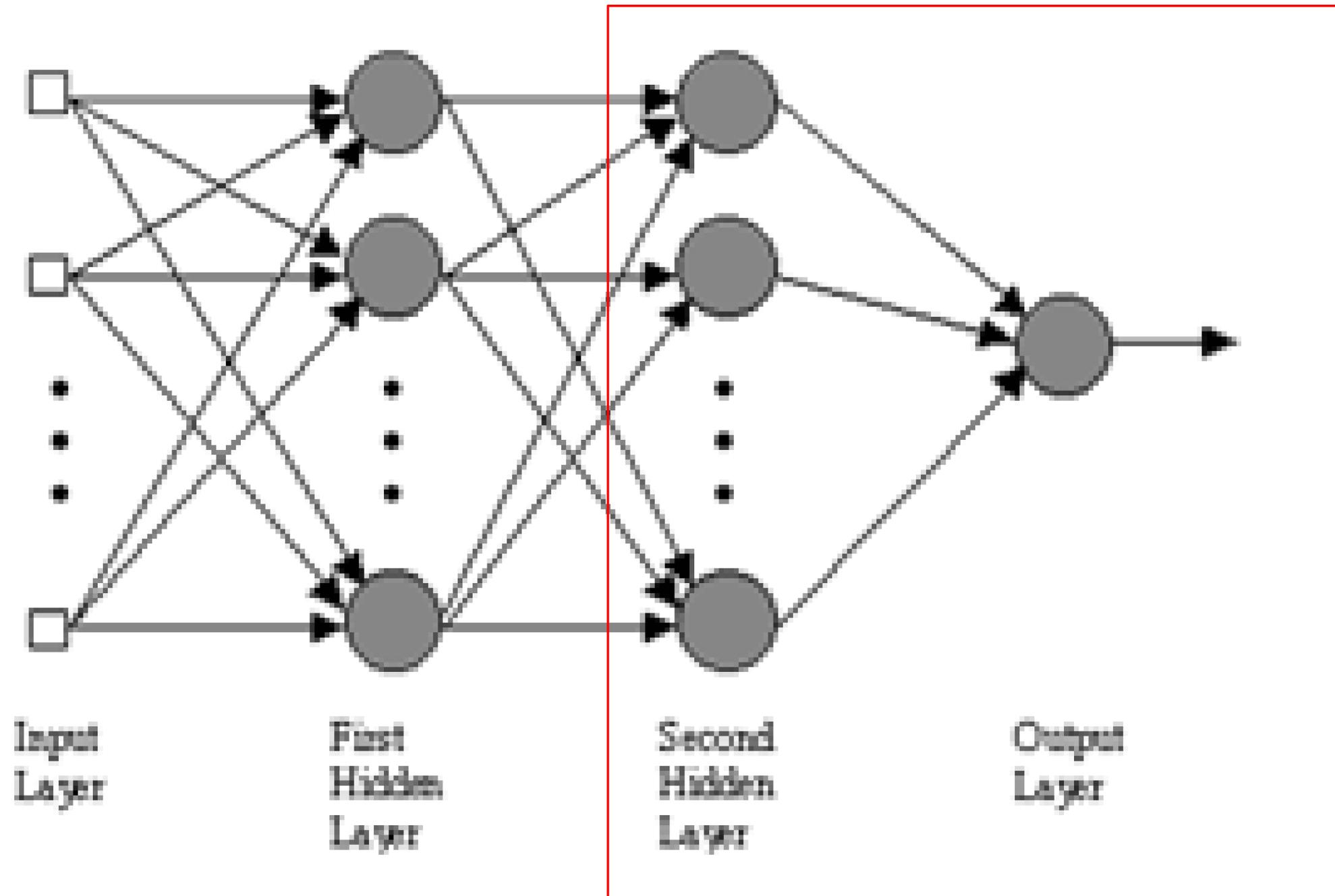
(c) Exclusive-OR
($x_1 \oplus x_2$)



Linearly Non-Separable

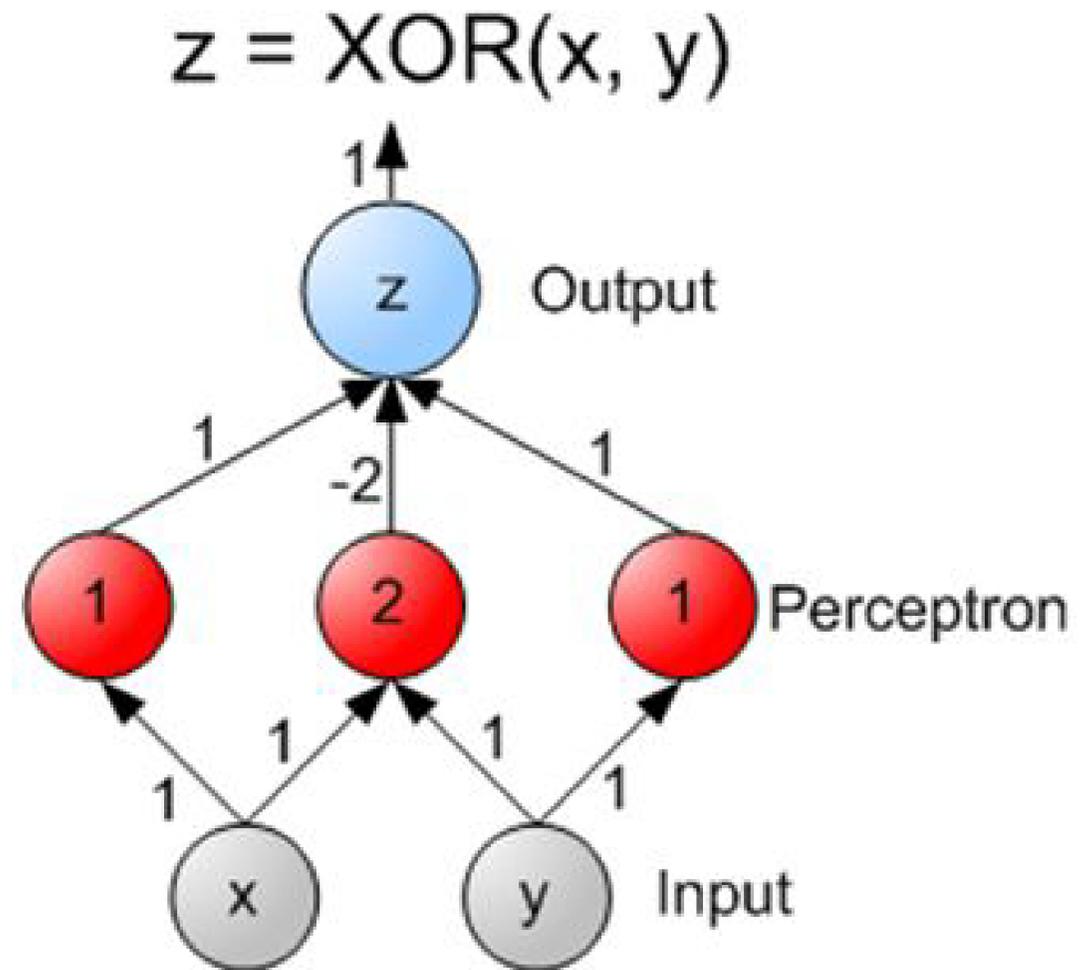


Multi-Layer Perceptron



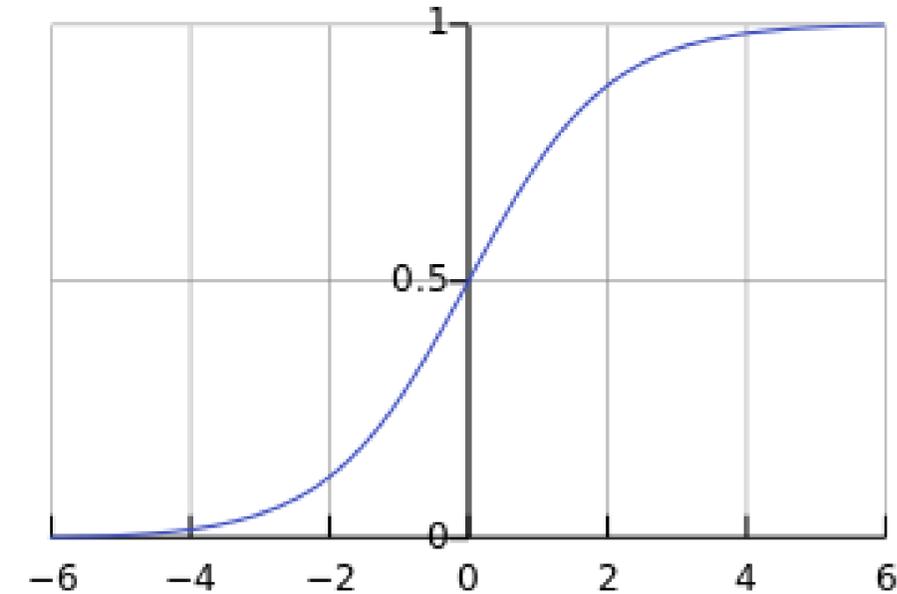
Universal Function Approximation

The universal approximation theorem for neural networks states that every continuous function that maps intervals of real numbers to some output interval of real numbers can be approximated arbitrarily closely by a multi-layer perceptron with just one hidden layer. This result holds only for restricted classes of activation functions, e.g. for the sigmoidal functions. (Wikipedia.org)



Sigmoid Function

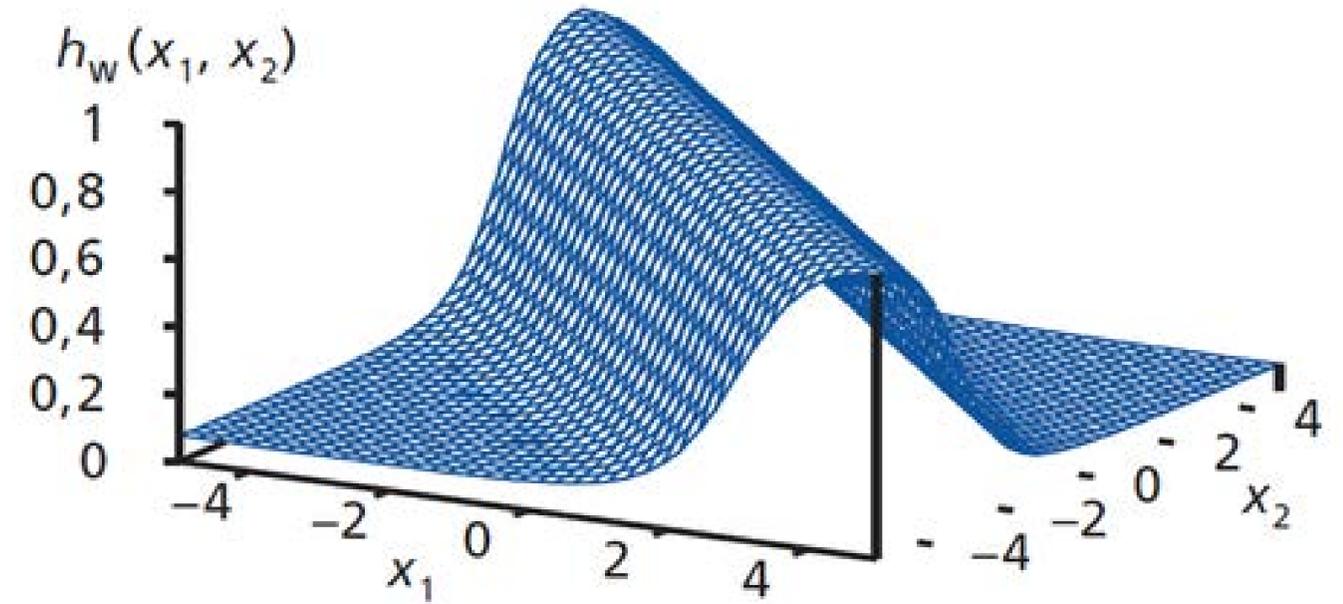
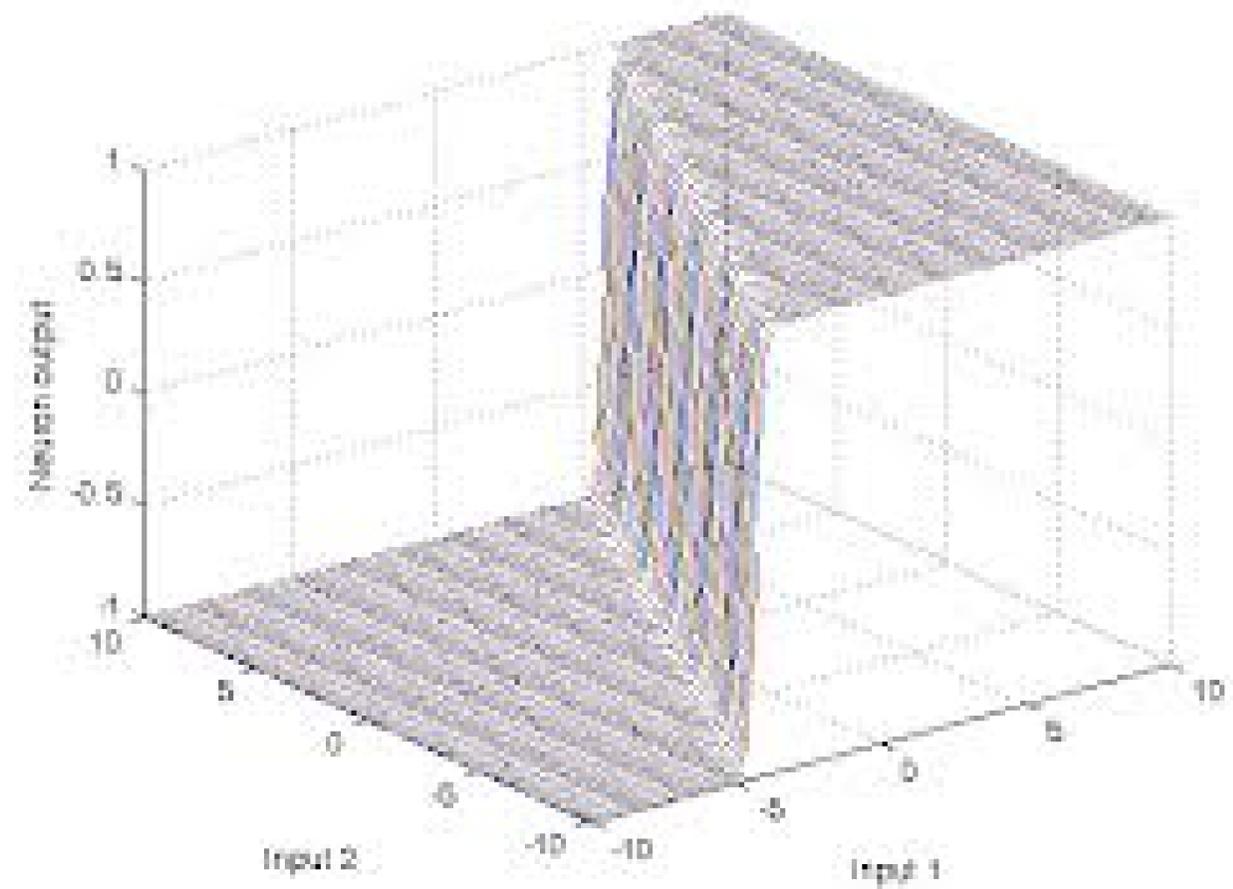
$$\sigma(t) = \frac{e^t}{e^t + 1} = \frac{1}{1 + e^{-t}}$$



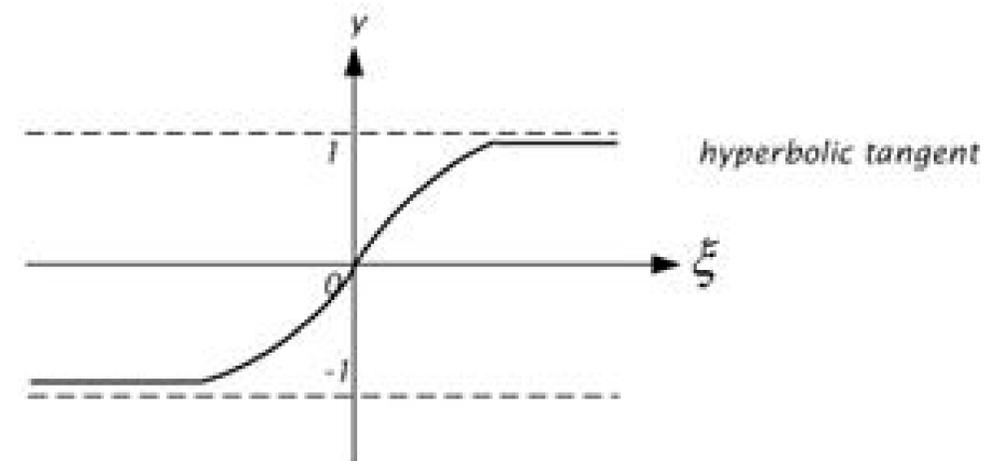
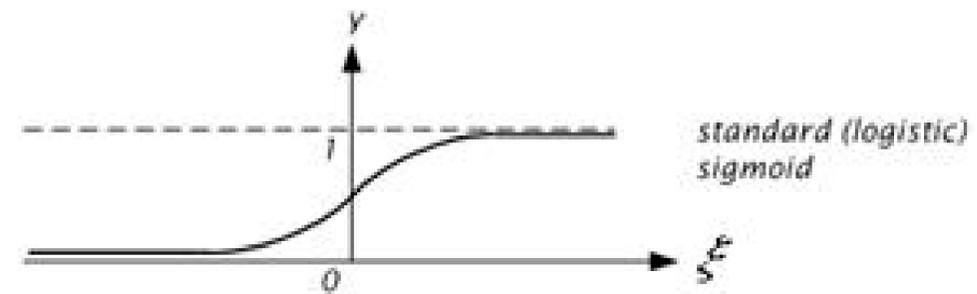
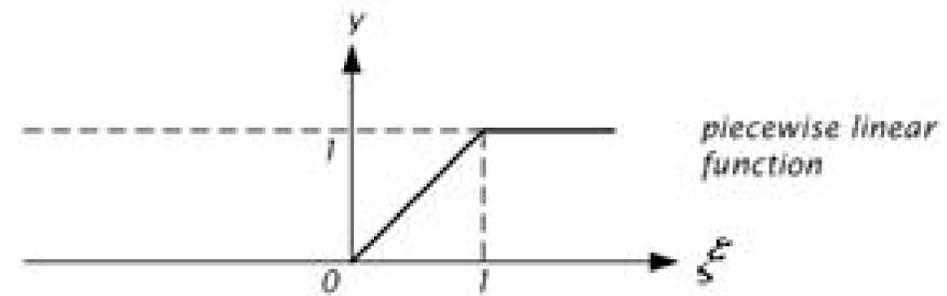
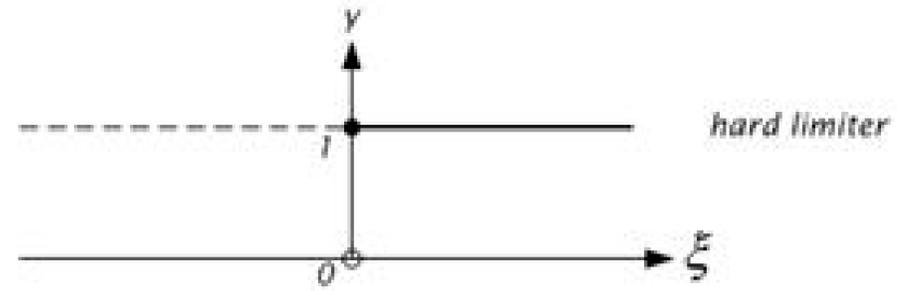
$$\sigma(x)' = \frac{\delta\{1+e^{-x}\}^{-1}}{\delta x} = -(1+e^{-x})^{-2} \cdot e^{-x} = \frac{e^{-x}}{(1+e^{-x})^2}$$

$$\sigma(x)(1-\sigma(x)) = \frac{1}{1+e^{-x}} \left(1 - \frac{1}{1+e^{-x}}\right) = \frac{1}{1+e^{-x}} \left(\frac{e^{-x}}{1+e^{-x}}\right) = \frac{e^{-x}}{(1+e^{-x})^2}$$

Sigmoid Function

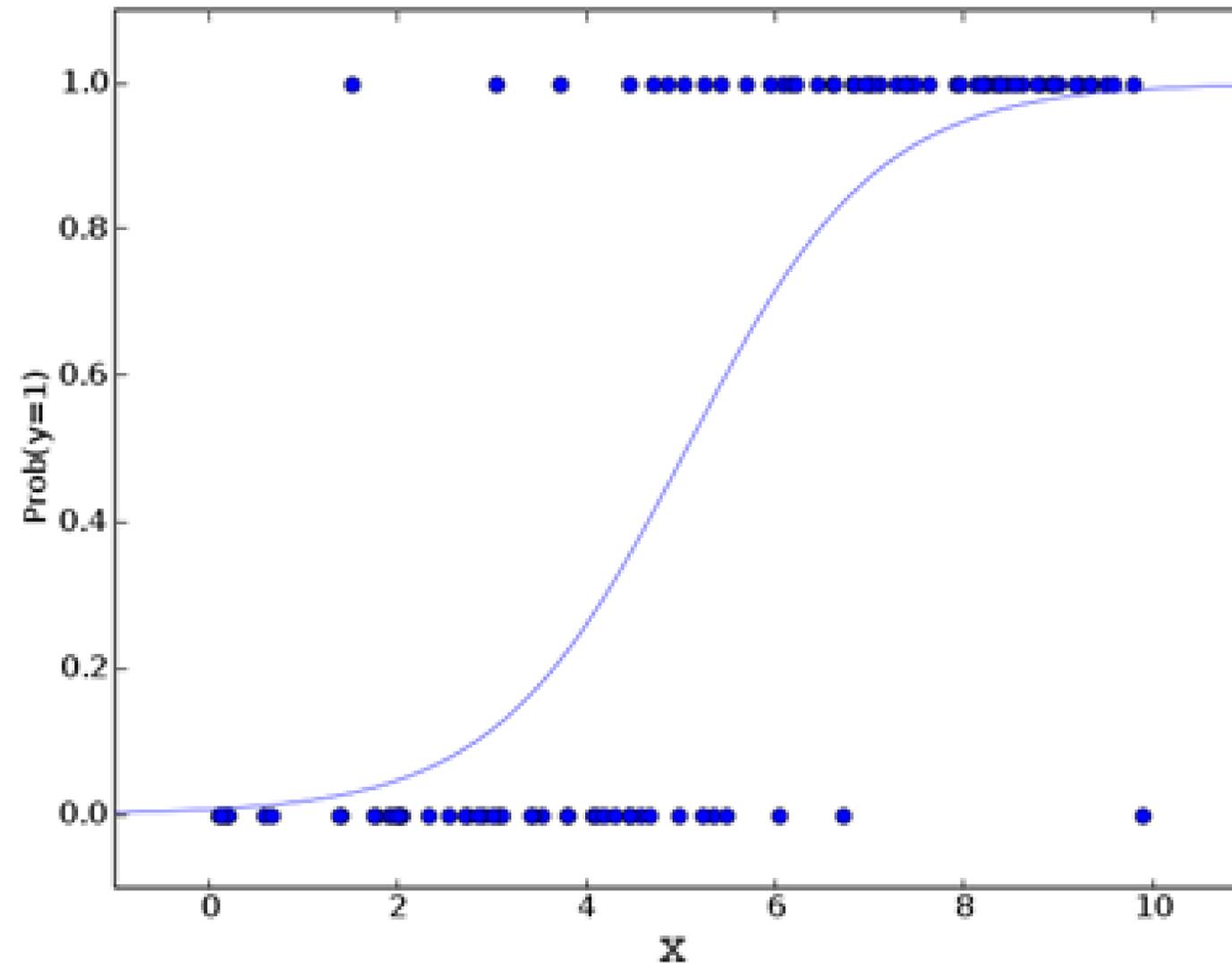


Activation Function



Activation Function

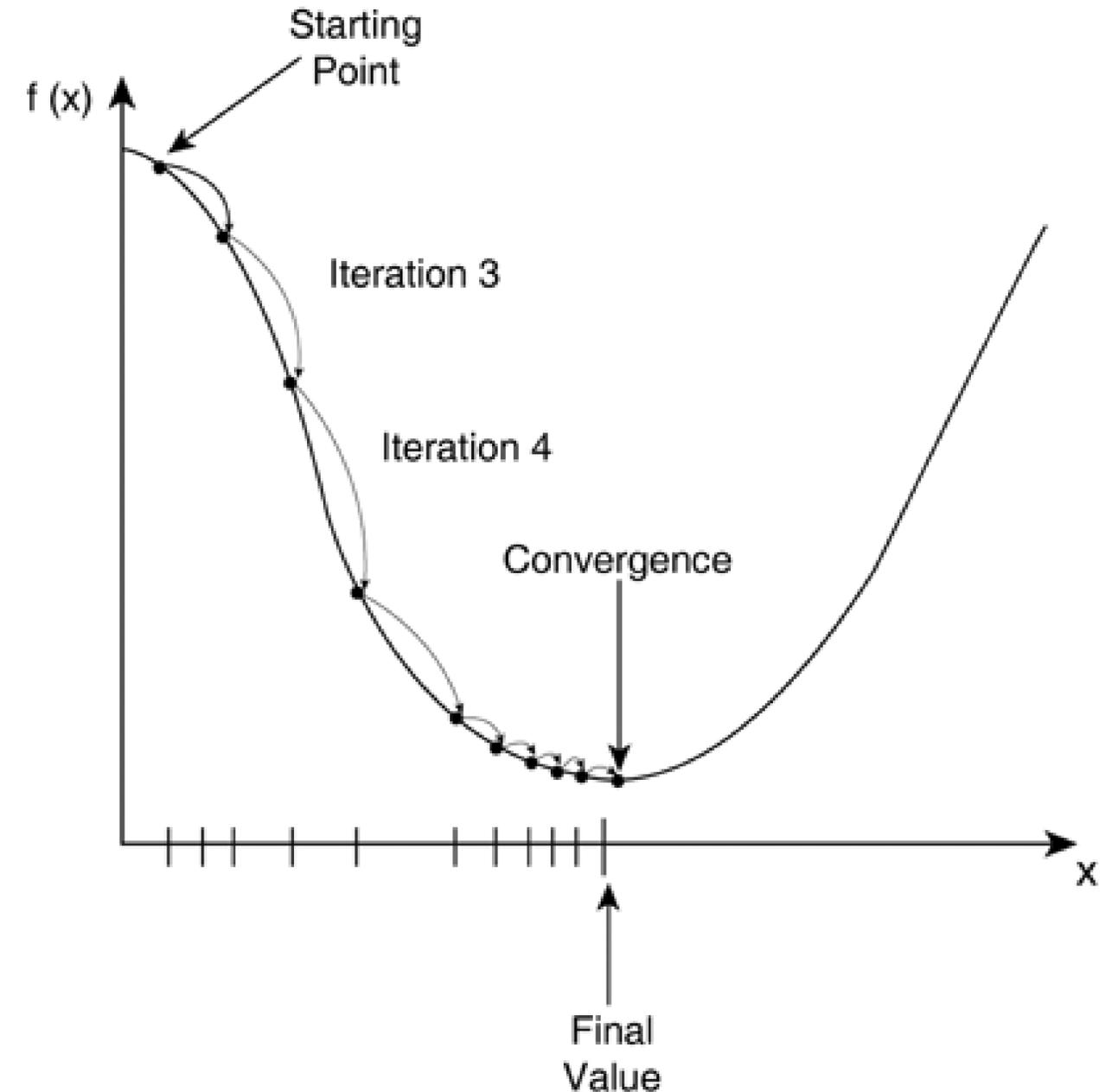
- Hidden Layer에 Activation Function이 없으면?
→ 항상 2층짜리인 Neural Network와 같음



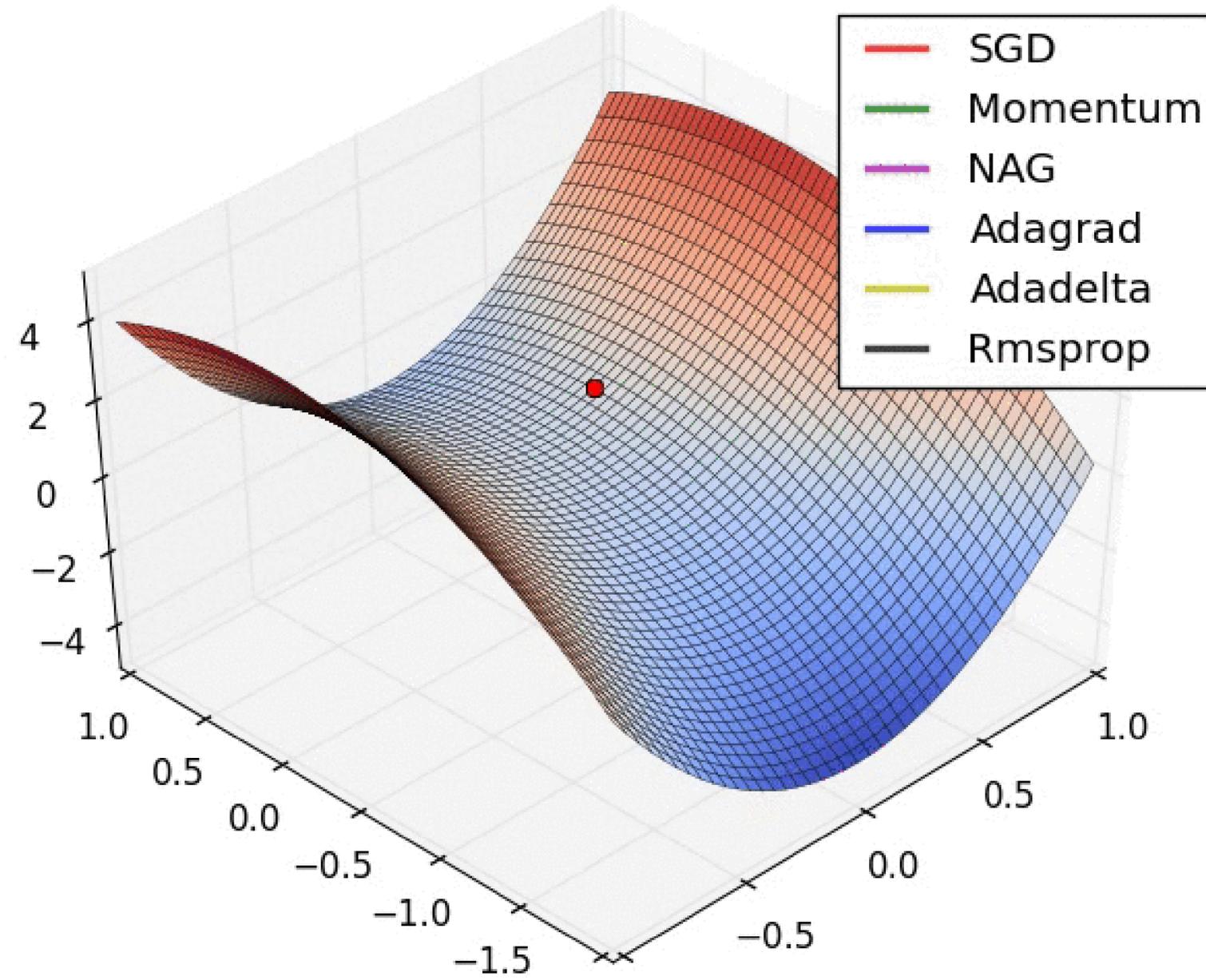
Gradient Descent

1) Loss Function 을 W (parameter)로
편미분해서 W 에 대한 Gradient를 구한다.

2) Gradient를 이용해서 W 를 업데이트 한다.
$$W^* = W - \lambda \text{Loss}'(W)$$



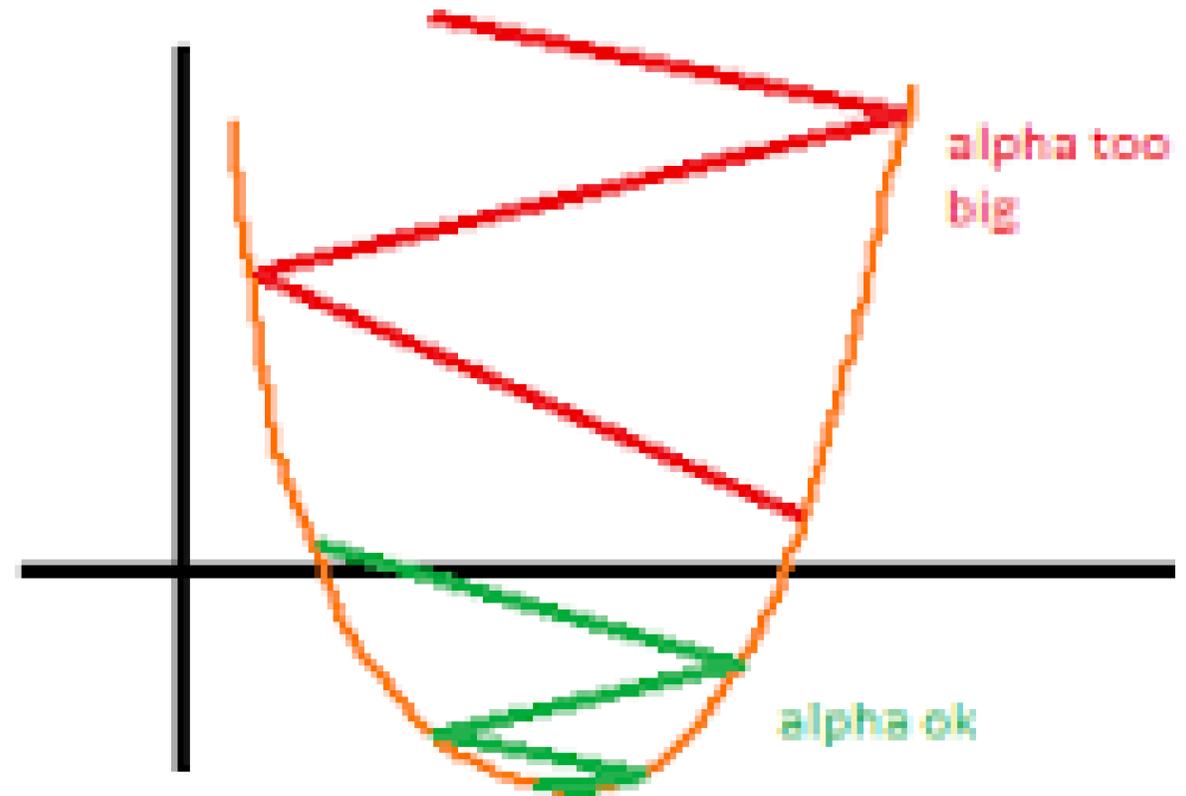
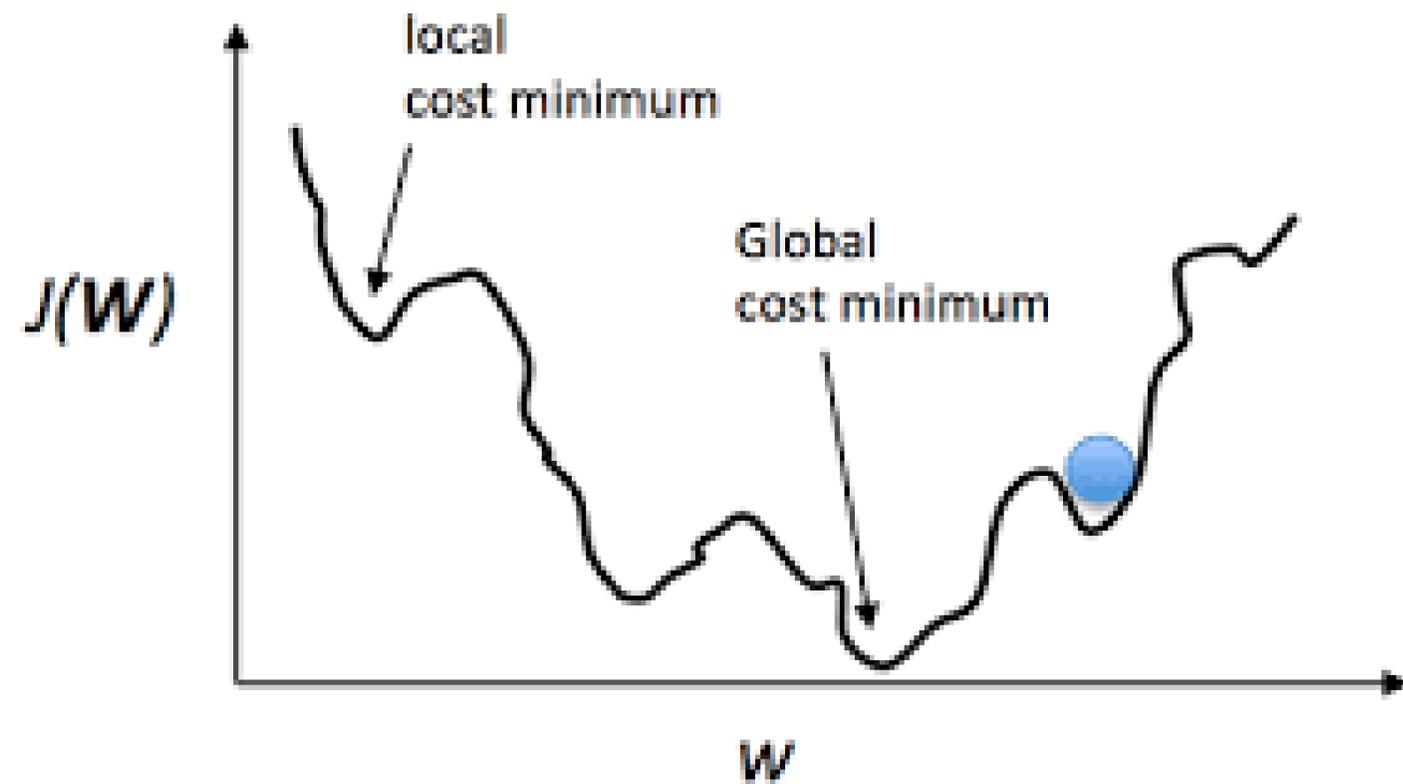
Gradient Descent



Gradient Descent의 문제점

- 1) Local Optima
→ Momentum
(사실은 per-dimension learning rate)
- 2) Divergence
→ Gradient Decaying

$$V = \mu V' + \lambda \text{Loss}'(W)$$
$$W^* = W - V$$



Gradient Descent의 문제점

3) 느림

→ Stochastic Gradient Descent

(또한 랜덤한 요소의 작용으로 더 수렴이 좋음.

그러나 subset이 전체의 분포를 충분히 반영해야함)

for $n = 1 : N$

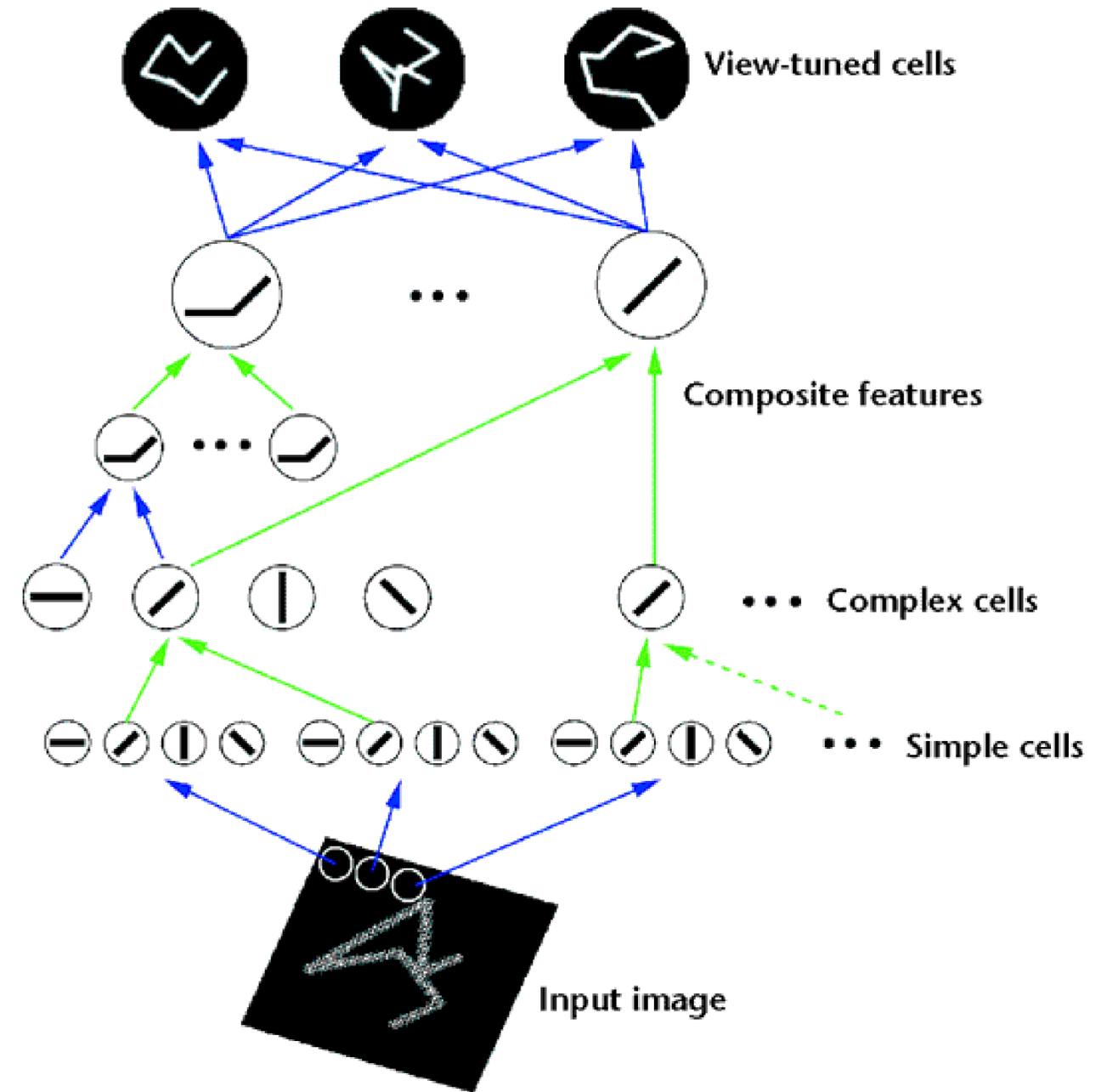
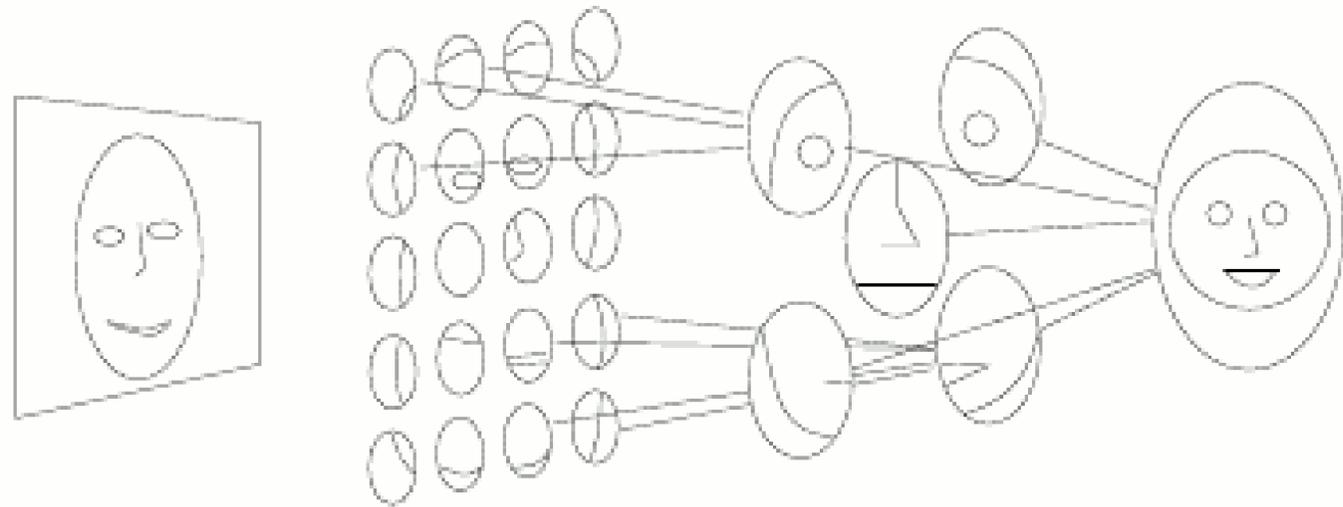
$$w_i^n := w_i^{n-1} - \eta \frac{\partial E_n(\mathbf{w})}{\partial w_i}$$

Error Back-propagation

Chain Rule

$$\begin{aligned}y' &= \lim_{t \rightarrow 0} \frac{f(g(x+t)) - f(g(x))}{t} \\ &= \lim_{t \rightarrow 0} \left[\frac{f(g(x+t)) - f(g(x))}{g(x+t) - g(x)} \times \frac{g(x+t) - g(x)}{t} \right] \\ &= f'(g(x)) \times g'(x)\end{aligned}$$

Deep Layer



Deep Learning

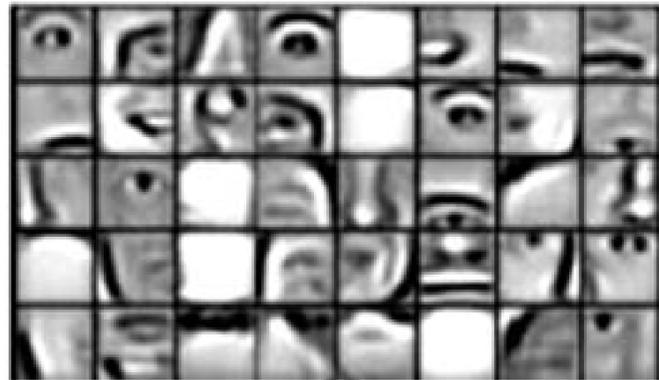
최신 ML에서 딥러닝은 하나의 module로써만 사용된다.

Discrete Choices

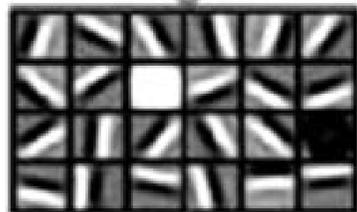


⋮

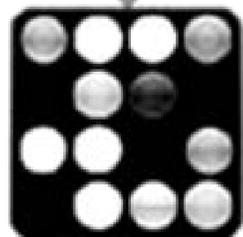
Layer 2 Features



Layer 1 Features



Original Data

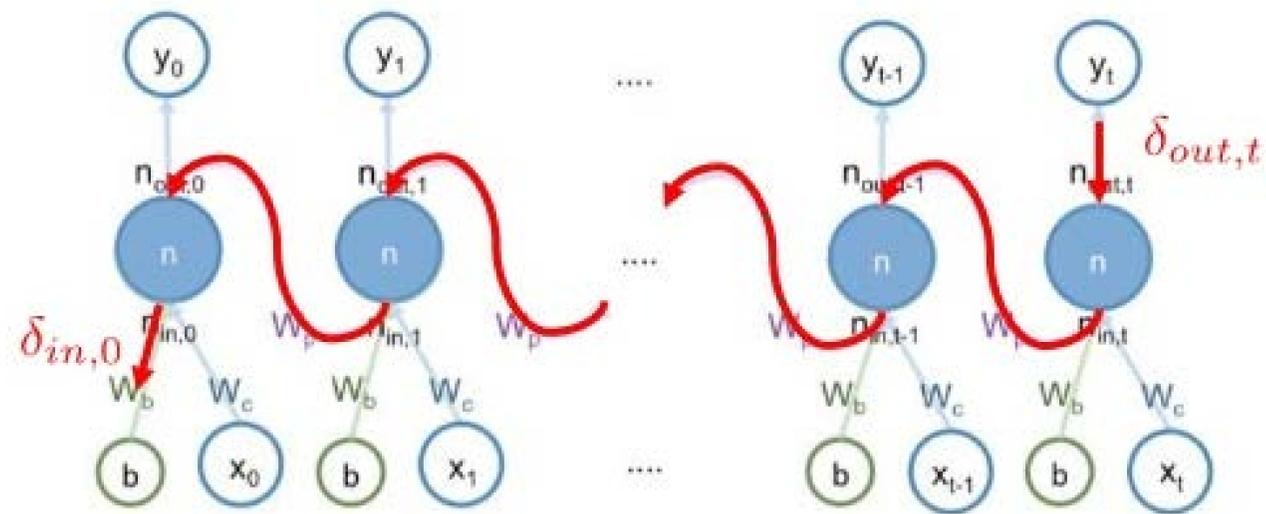


Deep Learning의 강점 :

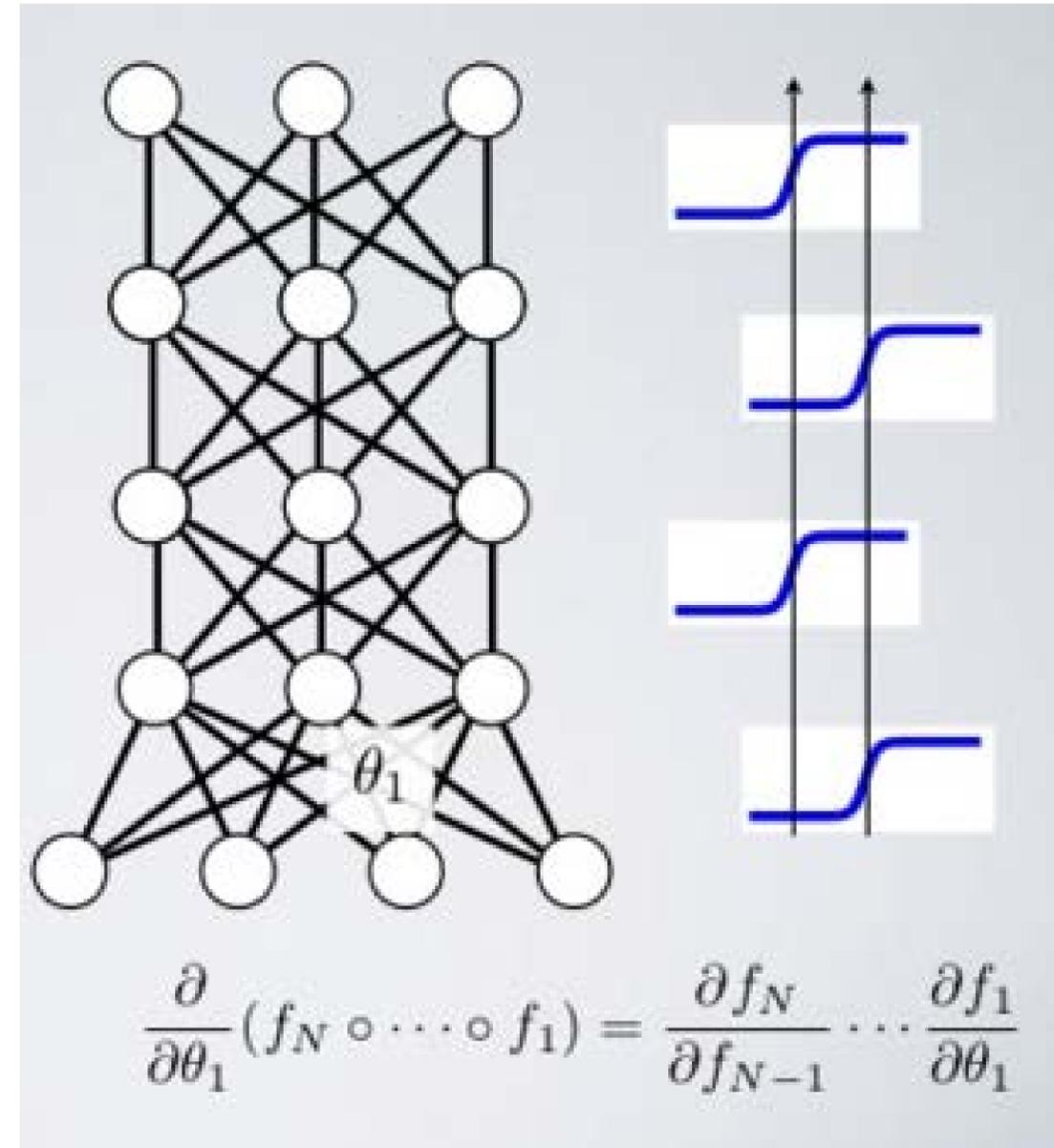
1. 층을 쌓을 수록 더욱 Abstract Feature Learning이 가능한 유일한 알고리즘.
2. Universal Function Approximator.

Gradient Vanishing

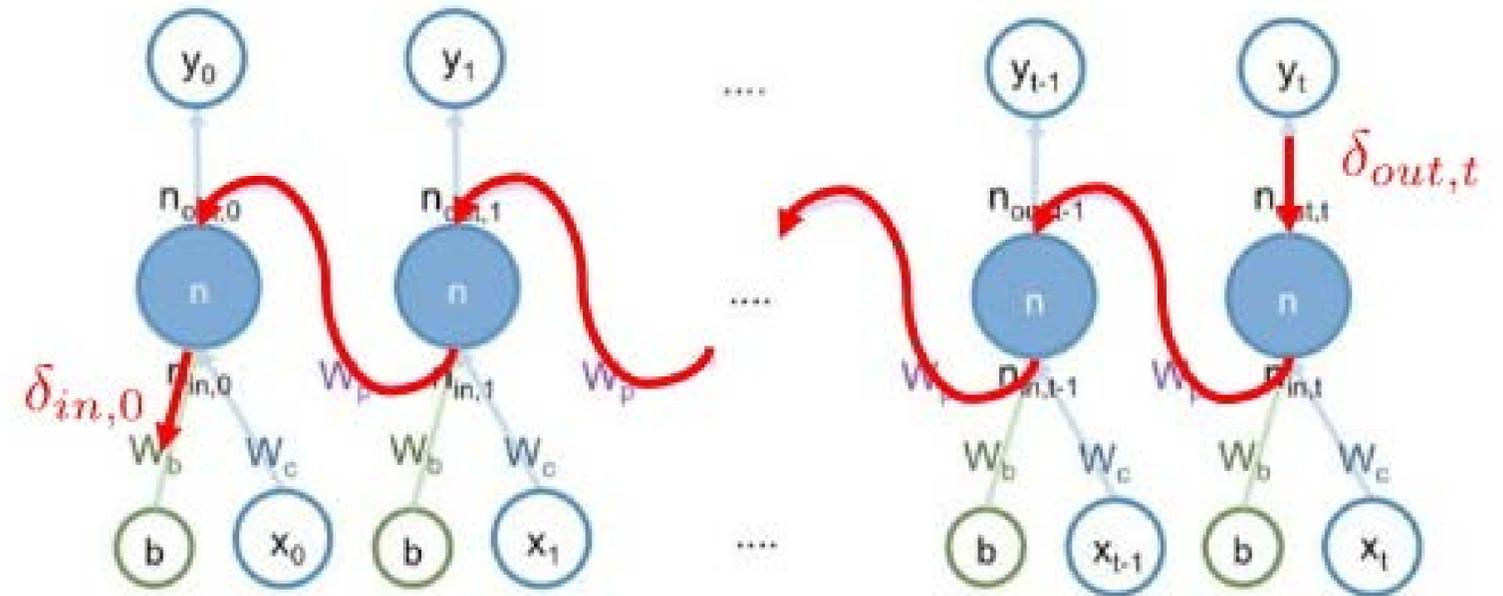
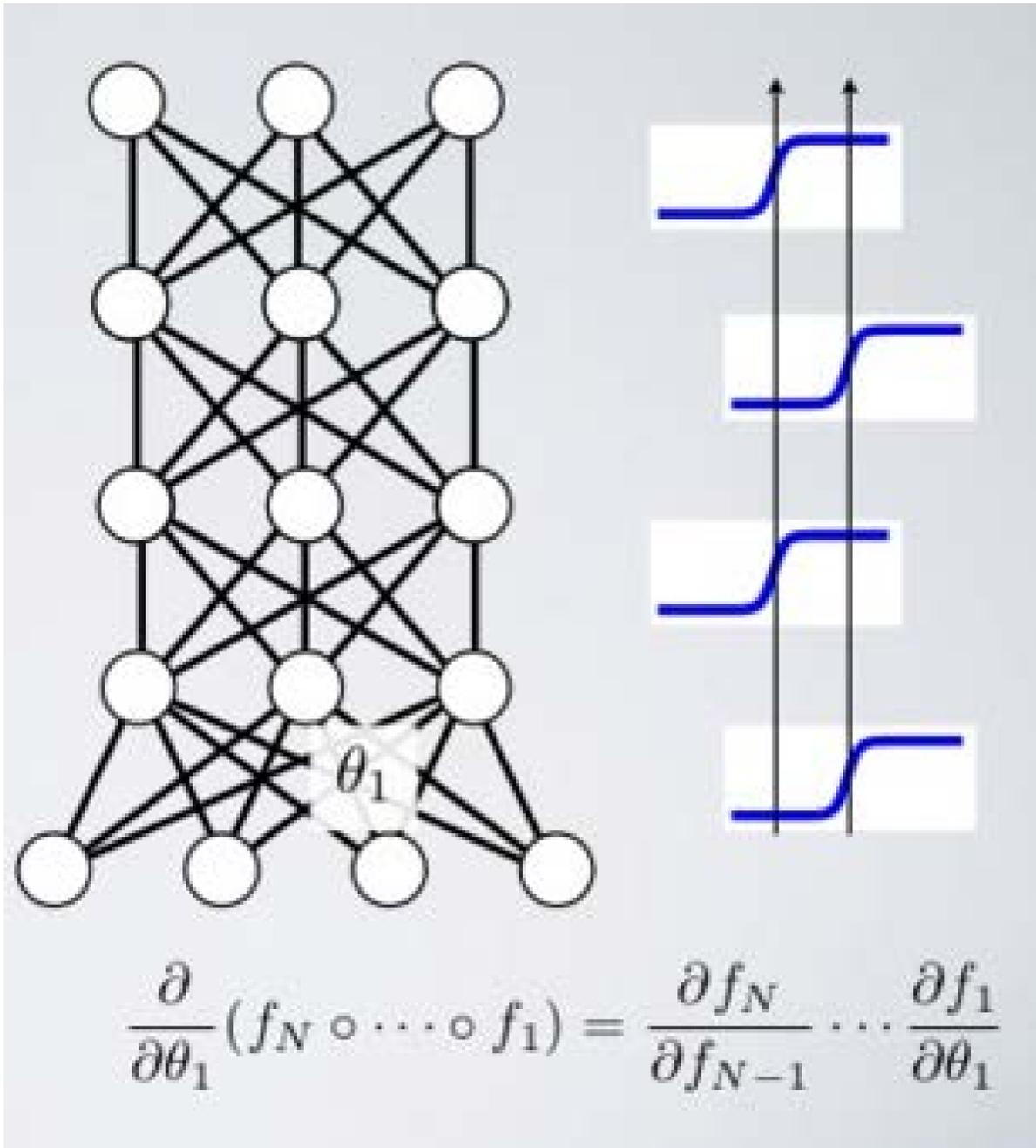
Vanishing Gradient Problem



$$\delta_{in,0} = \delta_{out,t} \frac{\partial n_{out,t}}{\partial n_{in,t}} \frac{\partial n_{in,t}}{\partial n_{out,t-1}} \dots \frac{\partial n_{in,1}}{\partial n_{out,0}} \frac{\partial n_{out,0}}{\partial n_{in,0}}$$



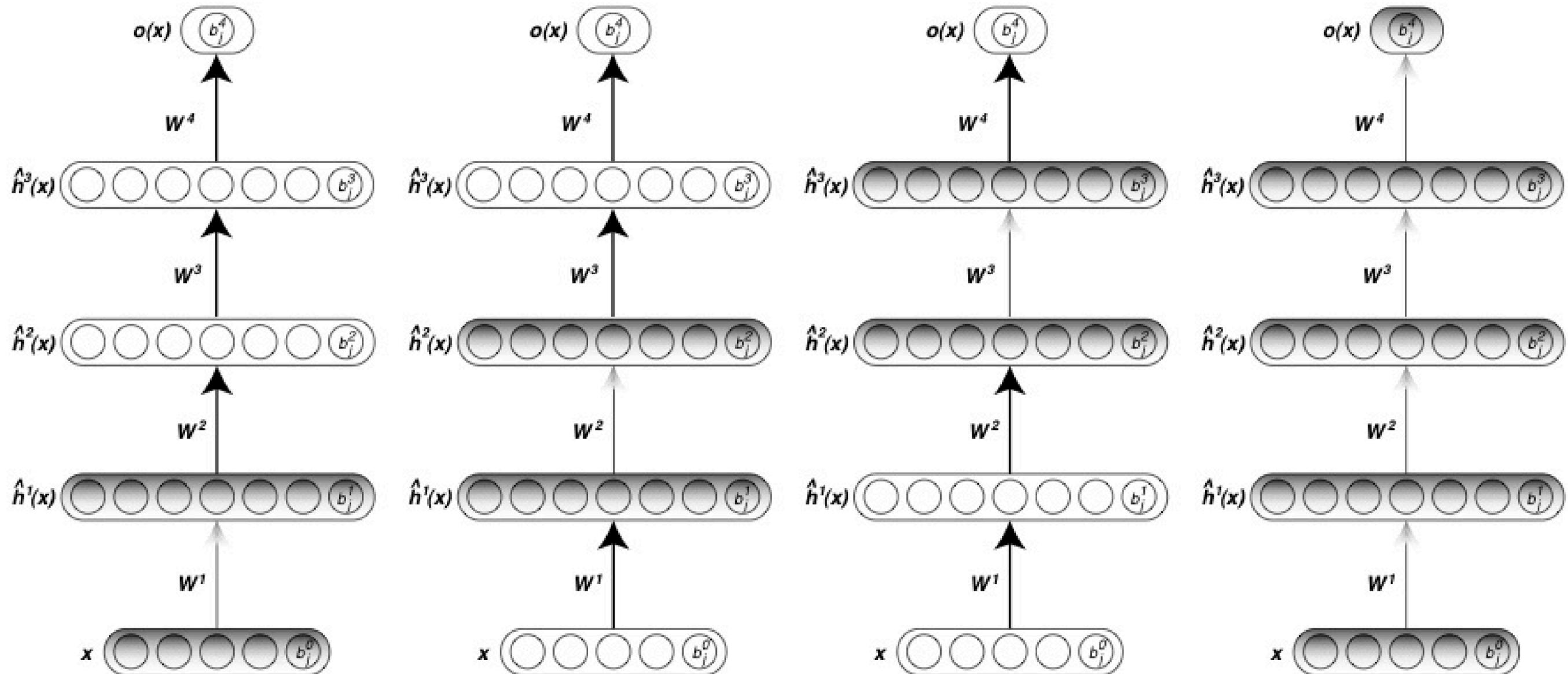
Gradient Vanishing



$$\delta_{in,0} = \delta_{out,t} \frac{\partial n_{out,t}}{\partial n_{in,t}} \frac{\partial n_{in,t}}{\partial n_{out,t-1}} \dots \frac{\partial n_{in,1}}{\partial n_{out,0}} \frac{\partial n_{out,0}}{\partial n_{in,0}}$$

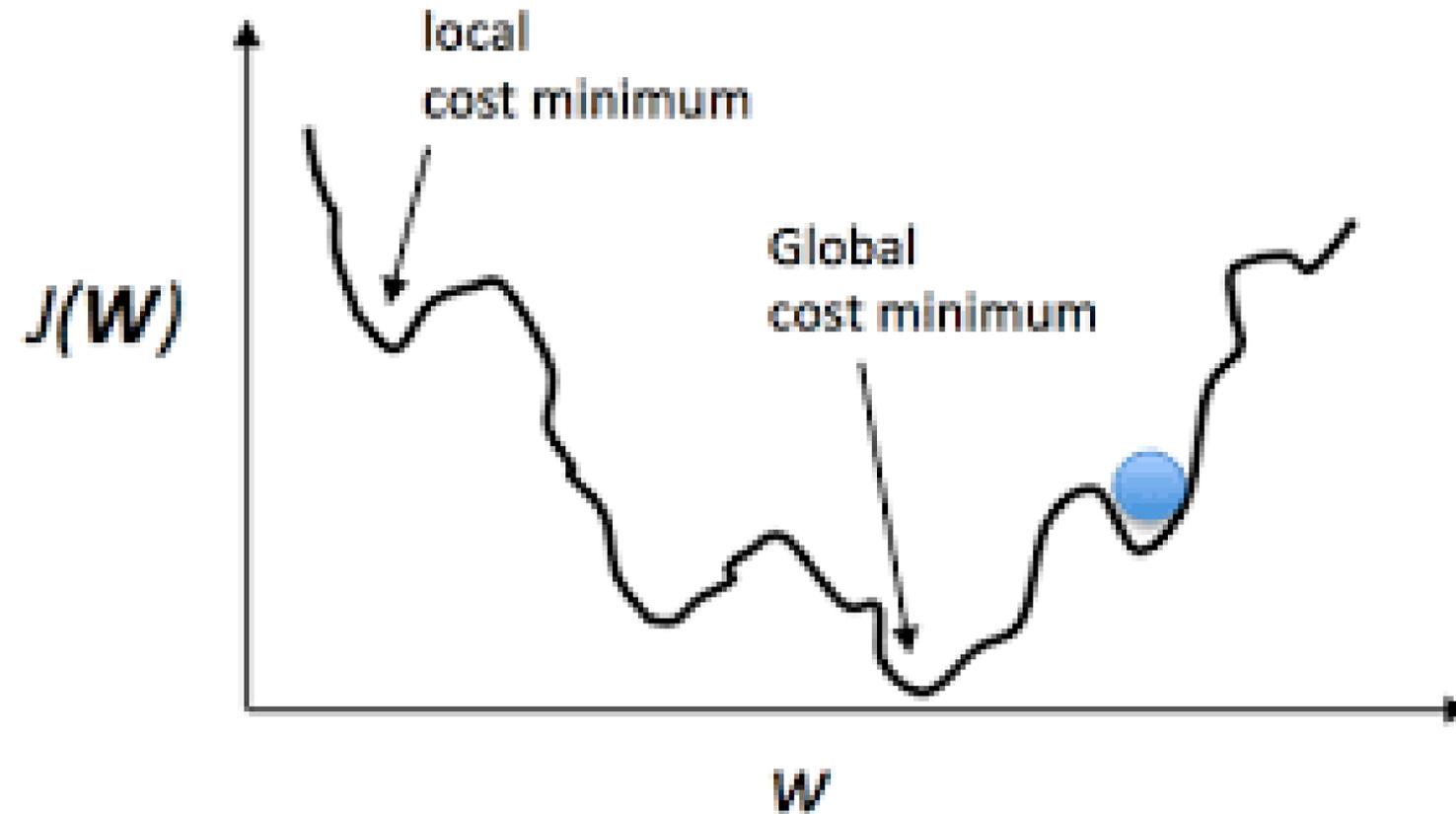
Gradient Vanishing 해결

1) Layer-wise Pretraining



Gradient Vanishing 해결

의미 1) Global optima와 더 가까운 Initial Weight 제공

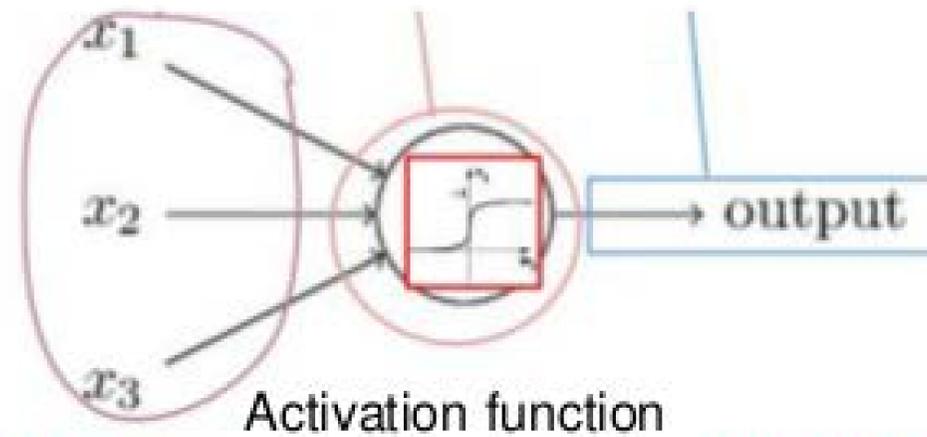


의미 2) Layer간의 긴밀함이 증가해서 gradient가 더 잘 전파됨

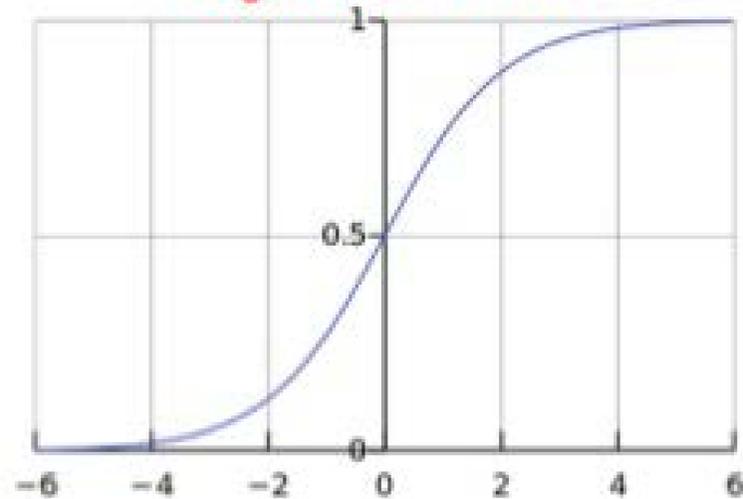
Gradient Vanishing 해결

2) ReLU

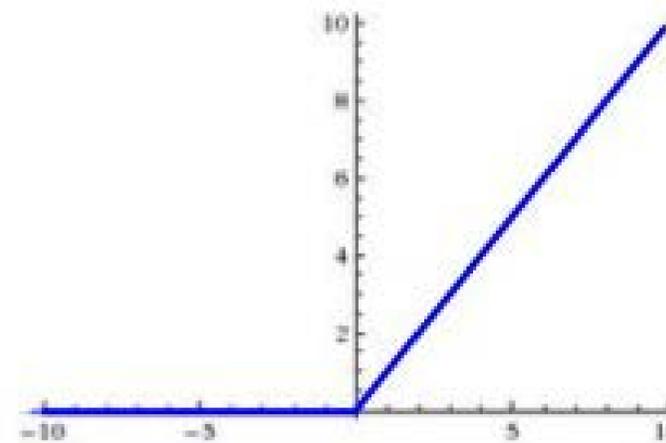
Rectified Linear Unit (ReLU)



Sigmoid function



Rectified Linear Unit



Output Node

1) Regression → Weighted Sum(No activation) + Least Mean Square Loss

2) Classification → Softmax + Cross-Entropy Loss

$$\sigma(\mathbf{z})_j = \frac{e^{z_j}}{\sum_{k=1}^K e^{z_k}} \quad \text{for } j = 1, \dots, K$$

$$H(p, q) = - \sum_{\mathbf{x}} p(\mathbf{x}) \log q(\mathbf{x}).$$

Applications

(Credit: Sungjoon Choi)

<https://github.com/sjchoi86/Tensorflow-101>

Scene Recognition (CNN)



Predictions:

- **Type of environment:** outdoor
- **Semantic categories:** rock_arch:0.63, arch:0.30,
- **SUN scene attributes:** rugged, natural light, dry, climbing, far-away horizon, touring, rocky, open area, warm, sand

B. Zhou, A. Lapedriza, J. Xiao, A. Torralba, and A. Oliva. "Learning Deep Features for Scene Recognition using Places Database." Advances in Neural Information Processing Systems 27 (NIPS), 2014.

Visual Style Recognition (CNN)



HDR



Macro



Baroque



Roccoco



Vintage



Noir



Northern Renaissance



Cubism



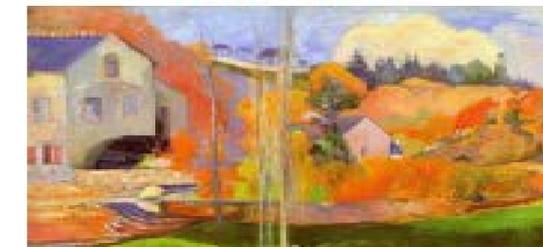
Minimal



Hazy



Impressionism



Post-Impressionism



Long Exposure



Romantic

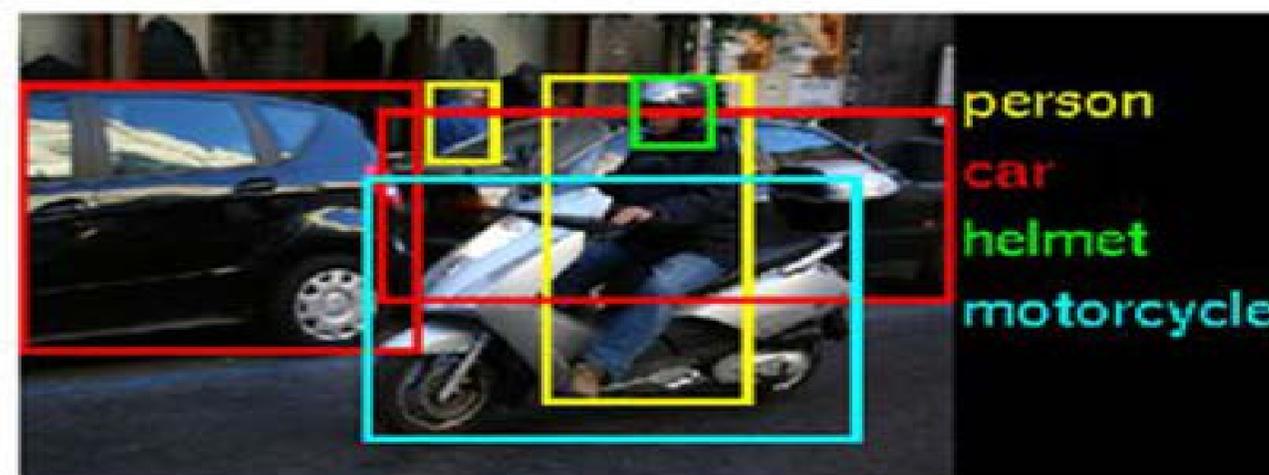
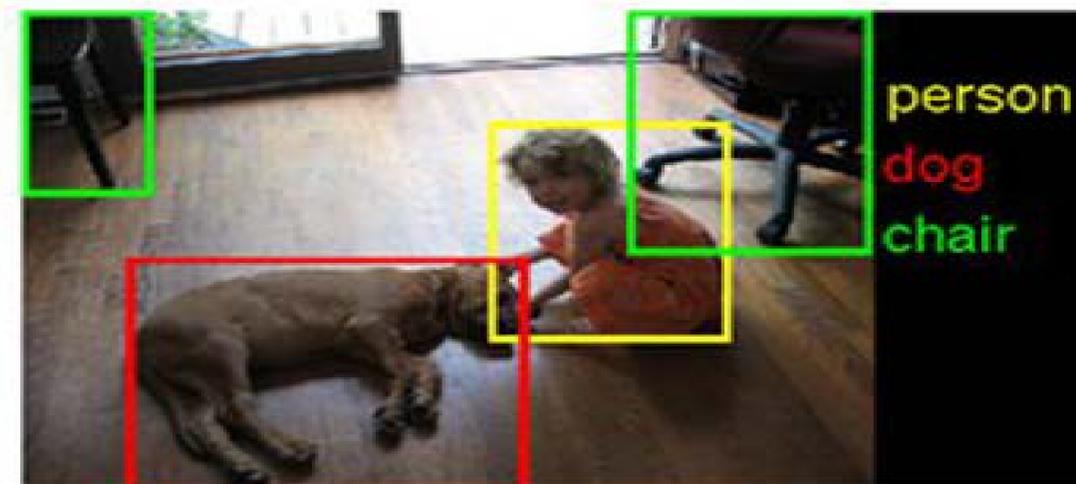


Abs. Expressionism



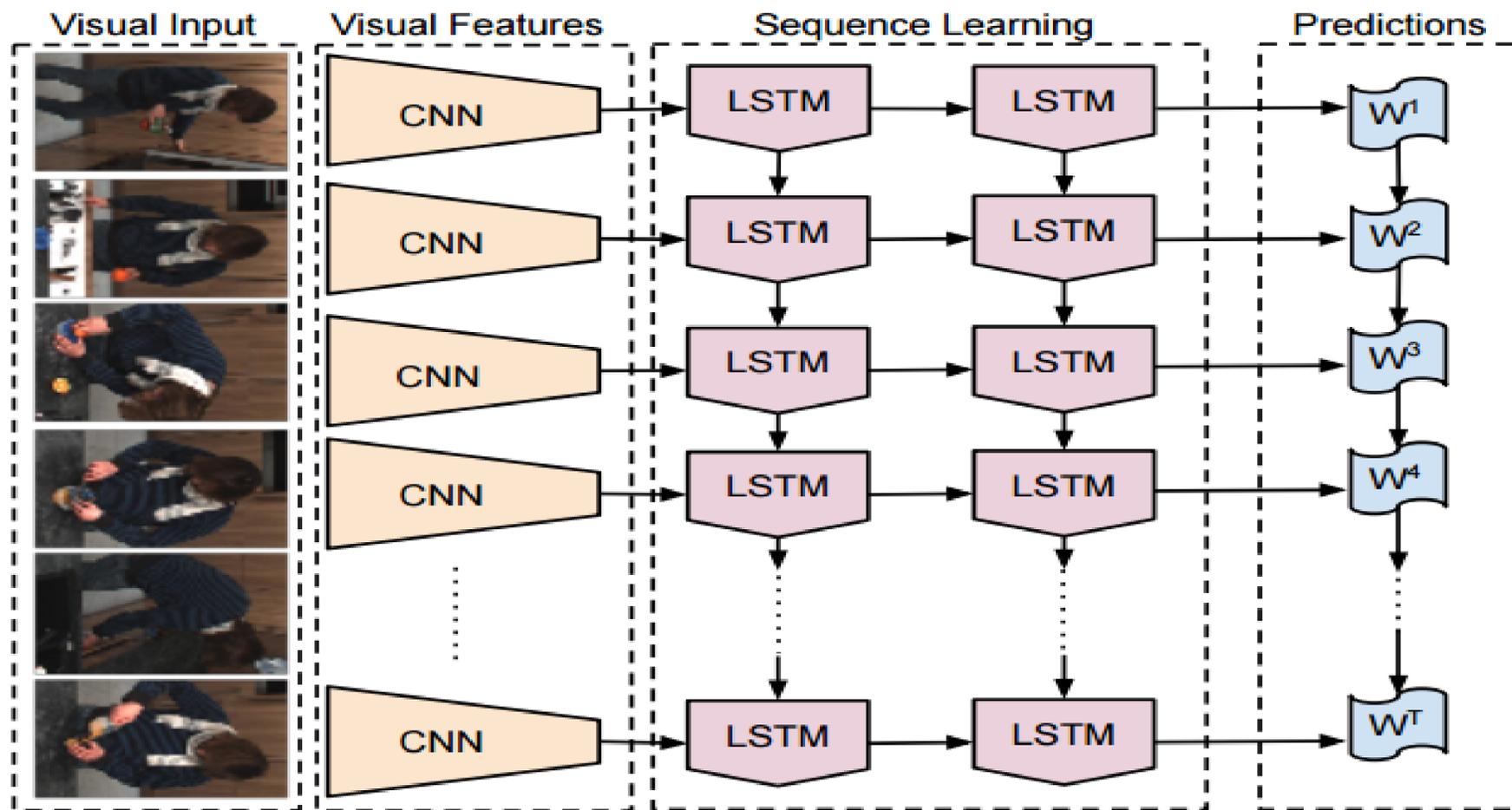
Color Field Painting

Object Detection (R-CNN)



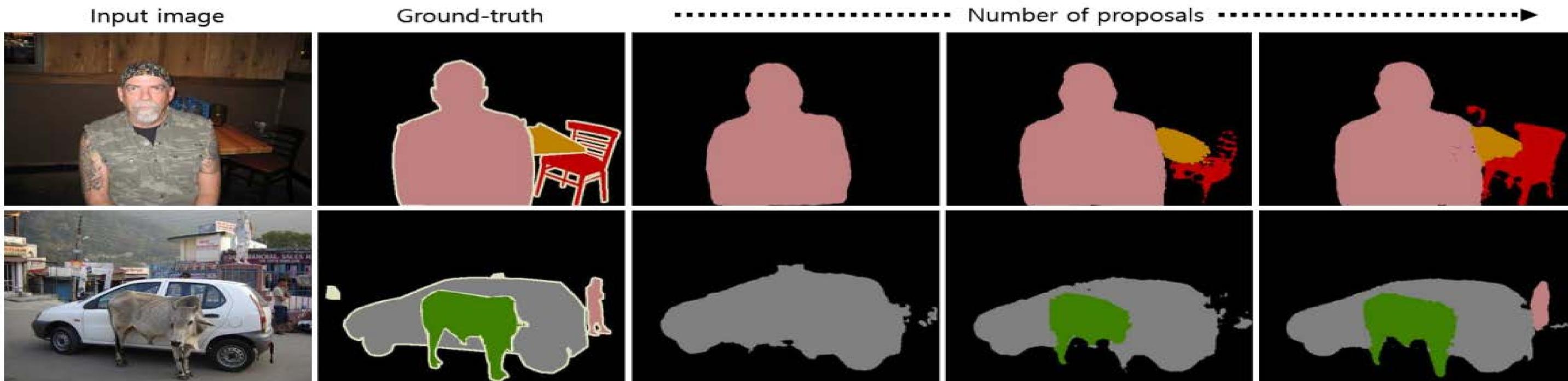
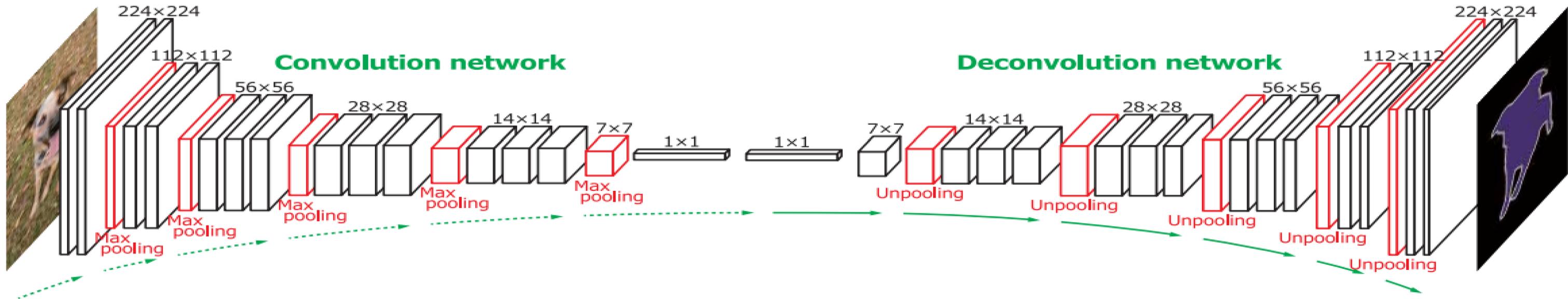
Detection \approx Localization + Classification

Image Captioning (CNN+LSTM)



A black and white cat is sitting on a chair.

Segmentation (DeconvNet)



Neural Style (CNN)



Deep Learning Tools

	Caffe	Torch	Theano	TensorFlow
Language	C++, Python	Lua	Python	Python
Pretrained	Yes ++	Yes ++	Yes (Lasagne)	Inception
Multi-GPU: Data parallel	Yes	Yes <code>cunn.DataParallelTable</code>	Yes <code>platoon</code>	Yes
Multi-GPU: Model parallel	No	Yes <code>fbcunn.ModelParallel</code>	Experimental	Yes (best)
Readable source code	Yes (C++)	Yes (Lua)	No	No
Good at RNN	No	Mediocre	Yes	Yes (best)

MLP & CNN TensorFlow 실습

감사합니다.